

### ENDS 231. Assignment #9

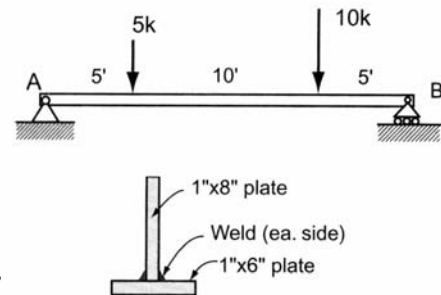
Date: 3/29/07, due 4/5/07

Pass-fail work

Problems: from Onouye, Chapter 9.

Note: Problems marked with a \* have been altered with respect to the problem stated in the text. Multiframe2D may be used for V & M diagrams.

9.1.11 Two steel plates (A572,  $F_y = 50$  ksi) are welded together to form an inverted T-beam. Determine the maximum bending stress developed. Also determine the maximum shear stress at the neutral axis (N.A.) of the cross-section and at the intersection where the stem joins the flange.



Problem 9.1.11

Partial answers to check with:  $\hat{y} = 3.07$  in from bottom,

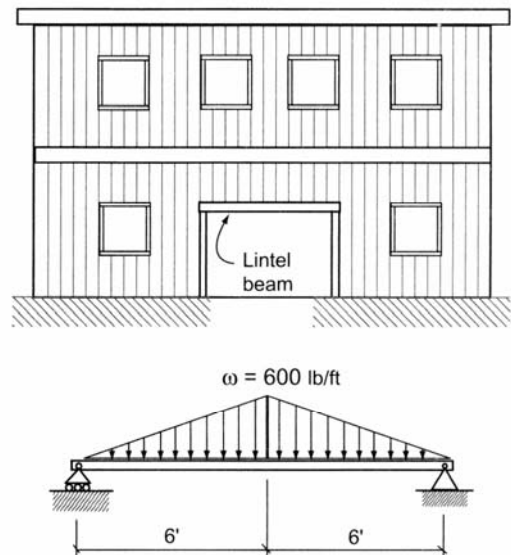
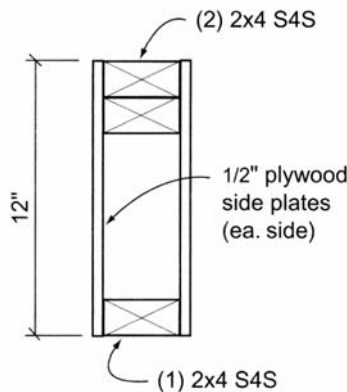
$$I_x = 112.6 \text{ in.}^4, f_b = 27.6 \text{ ksi},$$

$$f_{v\text{-max}} = 1.37 \text{ ksi}, (Q_{na} = 17.6 \text{ in}^3),$$

$$f_{v\text{-joint}} = 1.20 \text{ ksi} (Q = 15.44 \text{ in}^3).$$

9.1.14 A lintel beam 12' long is used in carrying the imposed loads over a doorway opening. Assuming that a built-up box beam is used with a 12" overall depth as shown, determine the maximum bending stress and shear stress developed.

**\* Also determine the required pitch spacing for the bottom 2x4 with 1 nail each side (2) with a shear capacity of 300 lb.**



Problem 9.1.14

Partial answers to check with:  $\hat{y} = 6.71$  in,  $I_x = 496.2 \text{ in.}^4$ ,  $f_b = 1168$  psi,  $f_v = 195$  psi  
 $(Q = 53.8 \text{ in}^3)$ ,  $p = 5.3$  in.  $(Q = 31.3 \text{ in}^3)$

Note: The negative area method is quicker for finding  $I_x$ .

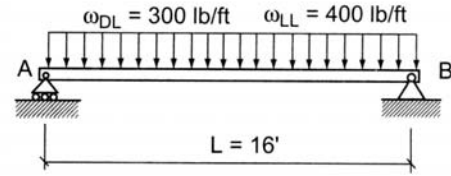
9.1.22 Design a Douglas fir-larch No. 1 beam to support the load shown.

$$F_b = 1300 \text{ psi}$$

$$F_v = 85 \text{ psi} \quad \text{*}\gamma \approx 32 \text{ lb/ft}^3 \text{ for Douglas fir}$$

$$E = 1.6 \times 10^6 \text{ psi}$$

$$\Delta_{\text{allow}(LL)} = L/360$$



Problem 9.1.22

Partial answers to check with:

$$S_{x\text{-req'd}} = 207 \text{ in.}^3, A_{\text{req'd}} = 99 \text{ in.}^2, \text{ Self weight} \approx 25 \text{ lb/ft and new } S_{\text{req'd}} \approx 214 \text{ in.}^3, \\ A_{\text{req'd}} \approx 103 \text{ in.}^2. \Delta_{(LL)} \approx 0.2 \text{ in.}$$