#### ARCHITECTURAL STRUCTURES I:

STATICS AND STRENGTH OF MATERIALS

**ENDS 231** 

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SUMMER 2006

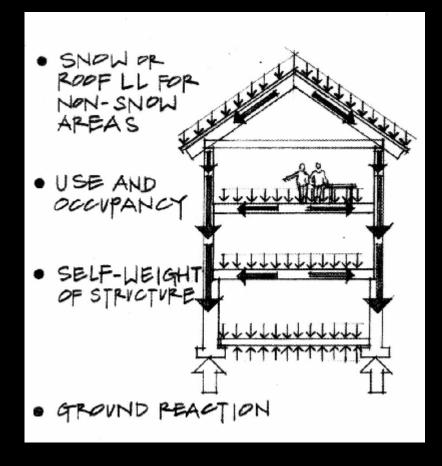
lecture NINE

load tracing and types

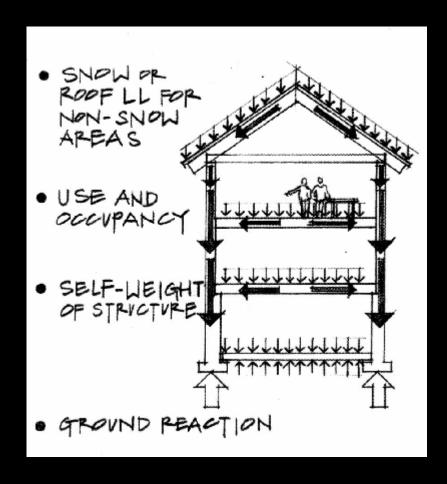


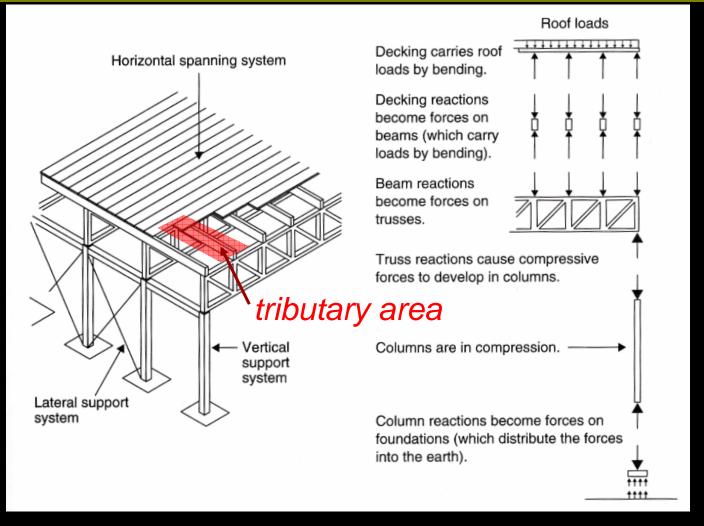
#### Structural Loads

- gravity acts on mass (F=m\*g)
- force of mass
  - acts at a point
    - ie. joist on beam
  - acts along a "line"
    - ie. floor on a beam
  - acts over an area
    - ie. people, books, snow on roof or floor



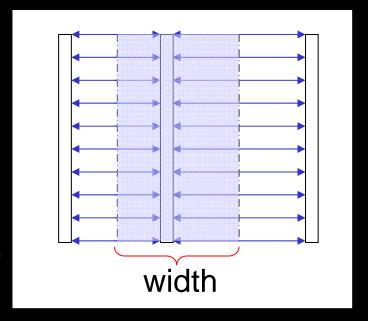
- how loads are transferred
  - usually starts at top
  - distributed by supports as <u>actions</u>
  - distributed by tributary areas

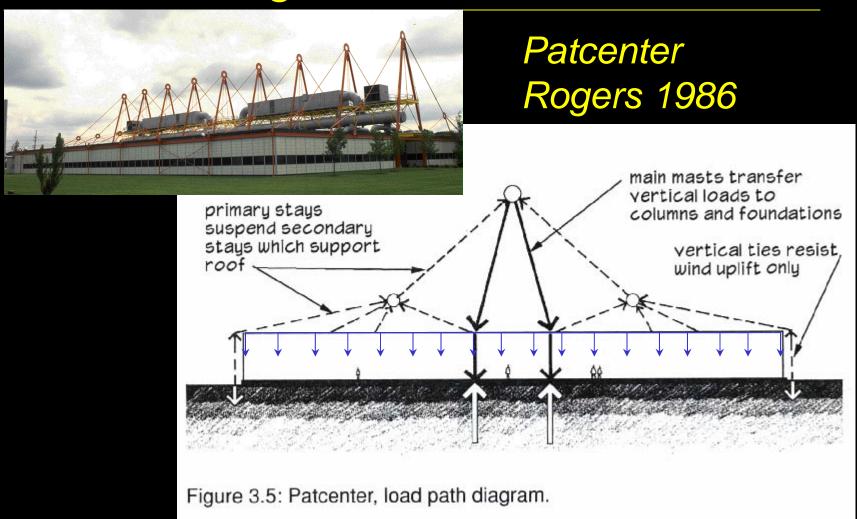




- tributary load
  - think of water flow
  - "concentrates" load of area into center

$$w = \left(\frac{load}{area}\right) \times (tributary\ width)$$







#### Alamillo Bridge Calatrava 1992

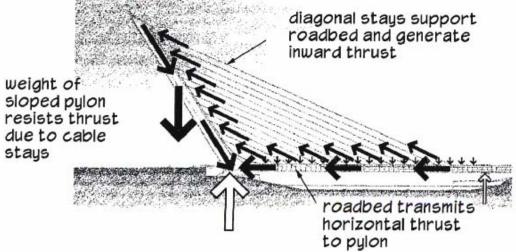
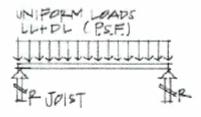
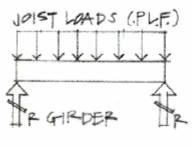


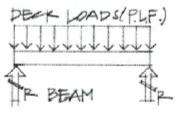
Figure 3.12: Alamillo bridge, load path diagram.



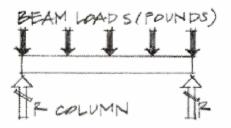
(a) FBD—decking.



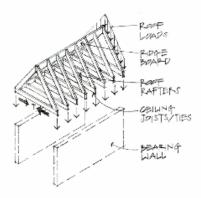
(c) FBD—beams.



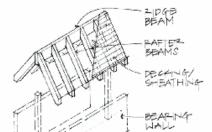
(b) FBD—joists.

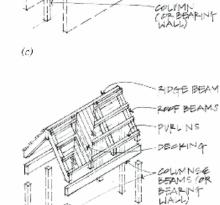


(d) FBD—girder.



(a)





### wall systems

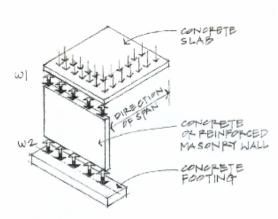


Figure 4.12 Uniform wall load from a slab.

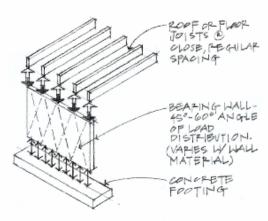


Figure 4.13 Uniform wall load from rafters and joists.

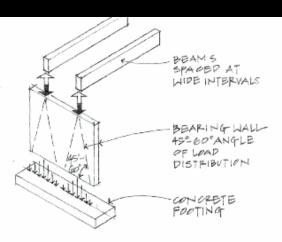


Figure 4.14 Concentrated loads from widely spaced beams.

# openings & pilasters

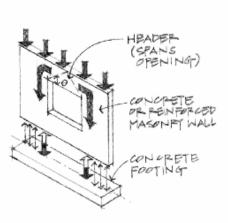


Figure 4.15 Arching over wall openings.

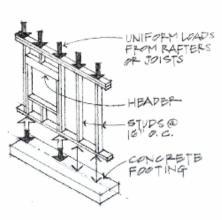


Figure 4.16 Stud wall with a window opening.

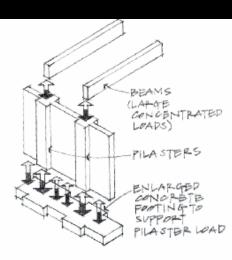


Figure 4.17 Pilasters supporting concentrated beam loads.

#### foundations

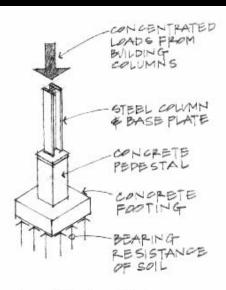


Figure 4.24 Spread footing.

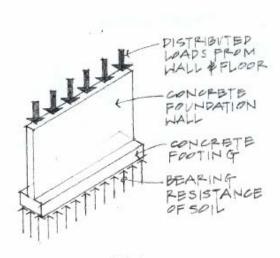


Figure 4.25 Wall footing.

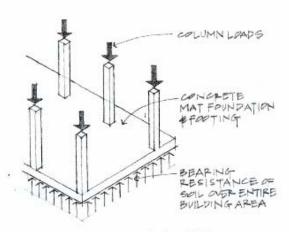


Figure 4.26 Mat or raft foundation.

# deep foundations

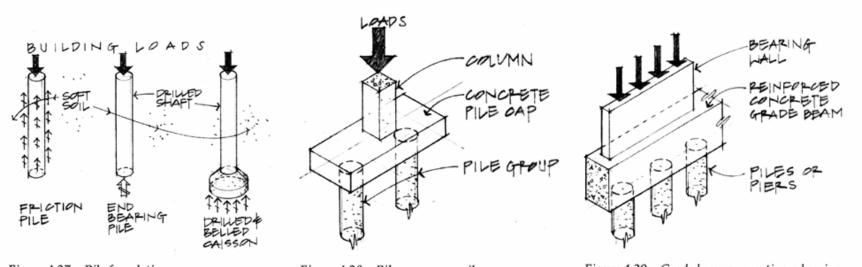
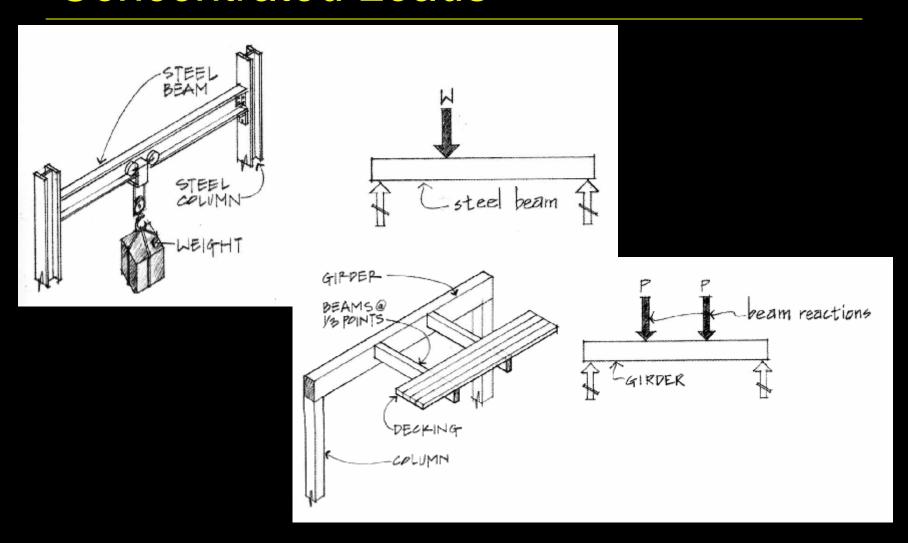


Figure 4.27 Pile foundations.

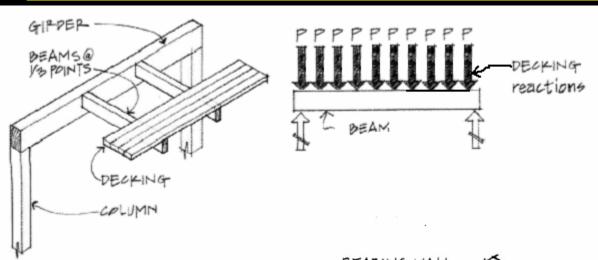
Figure 4.28 Pile cap on one pile group.

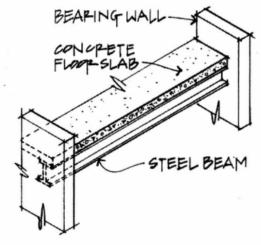
Figure 4.29 Grade beam supporting a bearing wall.

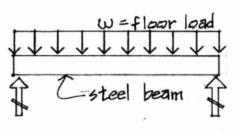
### Concentrated Loads



### Distributed Loads





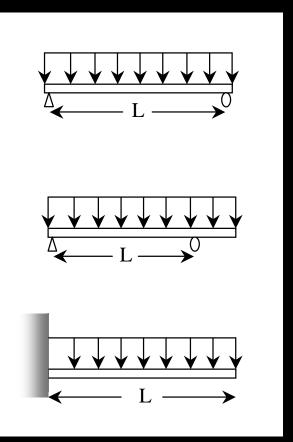


#### Distributed Loads

- statically determinate beam supports
  - simple

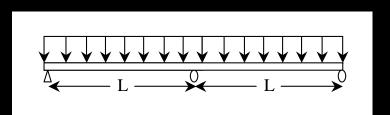
overhang

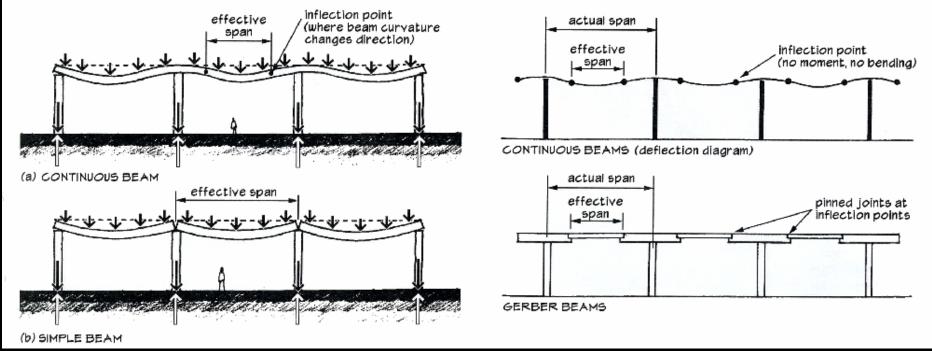
cantilever



#### Distributed Loads

- continuous beams
  - statically indeterminate
  - floors

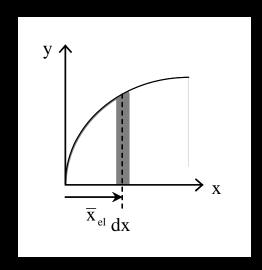


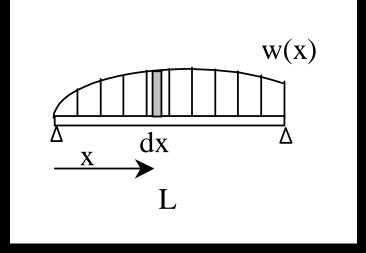


# Equivalent Force Systems

- replace forces by resultant
- place resultant where M = 0
- using <u>calculus</u> and area centroids

$$W = \int_0^L w dx = \int dA_{loading} = A_{loading}$$





#### Area Centroids

# • *Table 7.1 − pg. 242*

Centroids of Common Shapes of Areas and Lines			
Shape		x	y
Triangular area	$\frac{\sqrt[4]{y}}{\left +\frac{b}{2}+\left +\frac{b}{2}+\right } h \qquad h$	$\frac{b}{3}$ right triangle only	$\frac{h}{3}$
Quarter-circular area	$ \begin{array}{c c} C & - & - & C \\ \hline 0 & \overline{x} & - & 0 \end{array} $	$\frac{4r}{3\pi}$	$\frac{4r}{3\pi}$
Semicircular area		0	$\frac{4r}{3\pi}$
Semiparabolic area	$ \begin{array}{c c} \hline c & - & - & - & - & - & - & - & - & - & $	$\frac{3a}{8}$	3 <i>h</i> 5
Parabolic area		0	$\frac{3h}{5}$

#### Load Areas

- area is width x "height" of load
- <u>w</u> is load per unit <u>length</u>
- W is total load

