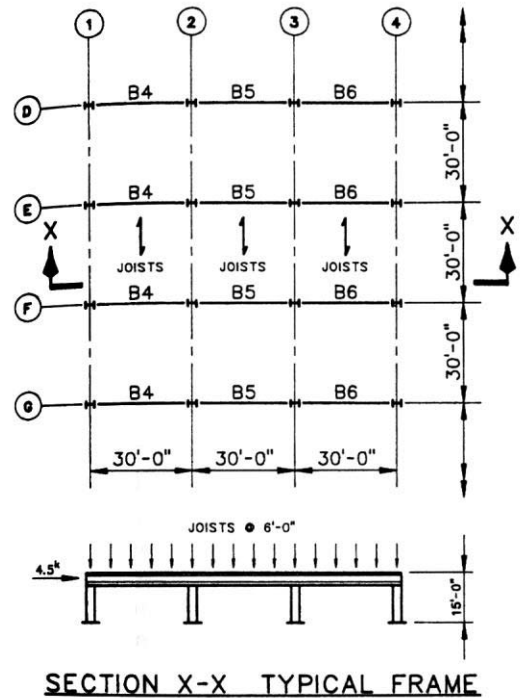


Case Study in Steel

adapted from Structural Design Guide, Hoffman, Gouwens, Gustafson & Rice., 2nd ed.

Building description

The building is a one-story steel structure, typical of an office building. The figure shows that it has three 30 ft. bays in the short direction and a large number of bays in the long direction. Some options for the structural system include fully restrained with rigid connections and fixed column bases, simple framing with “pinned” connections and column bases requiring bracing against sideway, and simple framing with continuous beams and shear connections, pinned column bases and bracing against sideway. This last situation is the one we’ll evaluate as shown in Figure 2.5(c).



Loads

Live Loads:

Snow on Roof: 30 lb/ft² (1.44 kPa)

Wind: 20 lb/ft² (0.96 kPa)

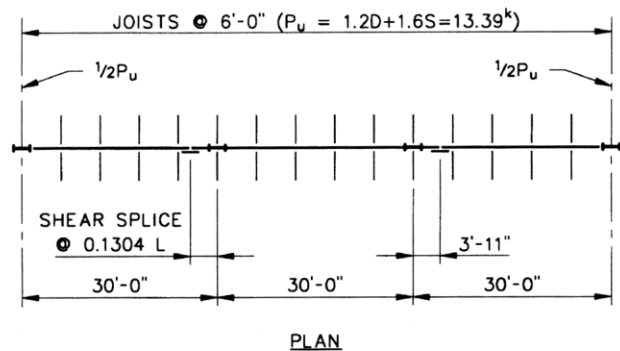
Dead Loads:

Roofing: 8 lb/ft² (0.38 kPa)

Estimated decking: 3 lb/ft² (0.14 kPa)

Ceiling: 7 lb/ft² (0.34 kPa)

Total: 18 lb/ft² (0.86 kPa)



Materials

A36 steel for the connection angles :
 (F_y = 36 ksi, F_u = 58 ksi) and A992 steel for the beams and columns (F_y = 50 ksi)
 K series open web joists and roof decking

Decking:

Decking selection is typically based on allowable stress design. Tables will give allowable total uniform load (taking self weight into account) based on stresses and deflection criteria for typical spans and how many spans are supported. The table (and description) for a Vulcraft 1.0 E deck is provided.

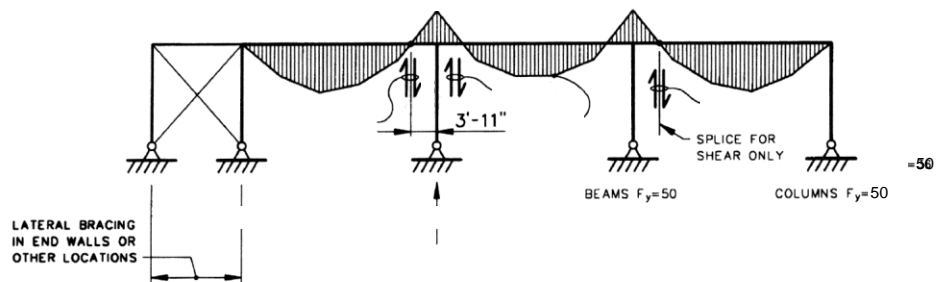


Figure 2.5(c) Type SF — cantilever-suspended span system, braced against sideway

Areas in gray are governed by live load roof deflection.

The total load with snow and roofing = 30 psf + 8 psf = 38 psf.

VERTICAL LOADS FOR TYPE 1.0E

No. of Spans	Deck Type	Max. SDI Const. Span	Allowable Total (Dead + Live) Uniform Load (PSF)										
			Span (ft.-in.) C. to C. of Support										
			2'-6	3'-0	3'-6	4'-0	4'-6	5'-0	5'-6	6'-0	6'-6	7'-0	7'-6
1	E26	2'-10	178	107	71	51	39	31	26	22	20	18	16
	E24	3'-5	249	148	97	68	51	40	32	27	24	21	19
	E22	3'-10	316	187	122	85	63	48	39	32	27	24	21
	E20	4'-2	379	224	145	100	73	56	45	37	31	27	24
2	E26	3'-4	273	189	139	107	81	62	49	40	34	29	25
	E24	4'-0	396	275	202	153	111	83	65	52	43	37	32
	E22	4'-6	515	357	263	190	137	102	79	63	52	44	37
	E20	5'-0	634	440	323	227	162	121	94	74	61	51	43
3	E26	3'-4	310	198	128	89	66	51	40	33	28	25	22
	E24	4'-0	469	276	177	122	89	67	53	43	36	31	27
	E22	4'-6	588	344	221	151	109	82	64	52	43	36	31
	E20	5'-0	707	413	264	180	129	97	75	60	50	42	36

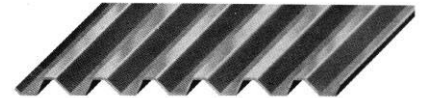
- Notes: 1. Load tables are calculated using sectional properties based on the steel design thickness shown in the Steel Deck Institute (SDI) Design Manual.
 2. Loads shown in the shaded areas are governed by the live load deflection not in excess of 1/240 of the span. A dead load of 10 PSF has been included.

1.0 E

Maximum Sheet Length 42'-0
 Extra Charge for Lengths Under 6'-0

Open Web Joists:

Open web joist selection is either based on allowable stress design or LRFD resistance for flexure (*not for deflection*). The total factored distributed load for joists at 6 ft on center will be:

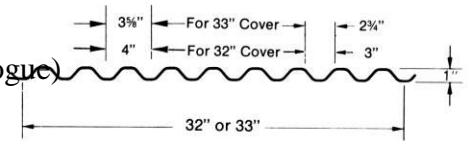


$$W_{total} = (1.2 \times 18 \text{ lb/ft}^2 + 1.6 \times 30 \text{ lb/ft}^2)(6 \text{ ft}) + 1.2(8 \text{ lb/ft estimated})$$

$$= 427.2 \text{ lb/ft (with } 1.2D + 1.6(L, \text{ or } L_r, \text{ or } S, \text{ or } R) \text{ by catalogue)}$$

$$W_{live} = 30 \text{ lb/ft}^2(6 \text{ ft}) = 180 \text{ lb/ft}$$

LRFD



STANDARD LOAD TABLE FOR OPEN WEB STEEL JOISTS, K-SERIES																					
Based on a 50 ksi Maximum Yield Strength - Loads Shown in Pounds per Linear Foot (plf)																					
Joist Designation	18K3	18K4	18K5	18K6	18K7	18K9	18K10	20K3	20K4	20K5	20K6	20K7	20K9	20K10	22K4	22K5	22K6	22K7	22K9	22K10	22K11
Depth (In.)	18	18	18	18	18	18	18	20	20	20	20	20	20	20	22	22	22	22	22	22	
Approx. Wt. (lbs./ft.)	6.6	7.2	7.7	8.5	9	10.2	11.7	6.7	7.6	8.2	8.9	9.3	10.8	12.2	8	8.8	9.2	9.7	11.3	12.6	13.8
Span (ft.)	↓																				
18	825	825	825	825	825	825	825														
19	771	825	825	825	825	825	825														
20	694	825	825	825	825	825	825	775	825	825	825	825	825	825							
21	630	759	825	825	825	825	825	702	825	825	825	825	825	825							
22	573	690	777	825	825	825	825	639	771	825	825	825	825	825	825	825	825	825	825	825	825
23	523	630	709	774	825	825	825	583	703	793	825	825	825	825	777	825	825	825	825	825	825
24	480	577	651	709	789	825	825	535	645	727	792	825	825	825	712	804	825	825	825	825	825
25	441	532	600	652	727	825	825	493	594	669	729	811	825	825	657	739	805	825	825	825	825
26	408	492	553	603	672	807	825	456	549	618	673	750	825	825	606	682	744	825	825	825	825
27	378	454	513	558	622	747	825	421	508	573	624	694	825	825	561	633	688	768	825	825	825
28	351	423	477	519	577	694	822	391	472	532	579	645	775	825	522	588	640	712	825	825	825
29	327	394	444	483	538	646	766	364	439	495	540	601	723	825	486	547	597	664	798	825	825
30	304	367	414	451	502	603	715	340	411	462	504	561	675	799	453	511	556	619	745	825	825
31	285	343	387	421	469	564	669	318	384	433	471	525	631	748	424	478	520	580	697	825	825
	111	130	146	158	175	207	243	138	162	182	198	219	259	304	198	222	241	267	316	369	369

Deflection will limit the selection, and the most lightweight choice is the 22K4 which weighs approximately 8 lb/ft. Special provisions for bridging are required for the shaded area lengths and sections.

Continuous Beams:

LRFD design is required for the remaining structural steel for the combinations of load involving Dead, Snow and Wind. The bracing must be designed to resist the lateral wind load.

The load values are:

$$\text{for } D: w_D = 18 \text{ lb/ft}^2 \cdot 30 \text{ ft} + (8 \text{ lb/ft} \cdot 30 \text{ ft}) / 6 \text{ ft} = 580 \text{ lb/ft}$$

$$\text{for } S: w_S = 30 \text{ lb/ft}^2 \cdot 30 \text{ ft} = 900 \text{ lb/ft}$$

$$\text{for } W: w_W = 20 \text{ lb/ft}^2 \cdot 30 \text{ ft} = 600 \text{ lb/ft (up or down)}$$

$$\text{and laterally } V = 600 \text{ lb/ft}(15\text{ft}/2) = 4500 \text{ lb}$$

These DO NOT consider self weight of the beam.

The applicable combinations for the tributary width of 30 ft. are:

$$1.4D \quad w_u = 1.4(580 \text{ lb/ft}) = 812 \text{ lb/ft}$$

$$1.2D + 1.6L + 0.5(L_r \text{ or } S \text{ or } R) \quad w_u = 1.2(580 \text{ lb/ft}) + 0.5(900 \text{ lb/ft}) = 1146 \text{ lb/ft}$$

$$1.2D + 1.6(L_r \text{ or } S \text{ or } R) + (L \text{ or } 0.8W) \quad w_u = 1.2(580 \text{ lb/ft}) + 1.6(900 \text{ lb/ft}) + 0.8(600 \text{ lb/ft}) = \underline{2616 \text{ lb/ft}}$$

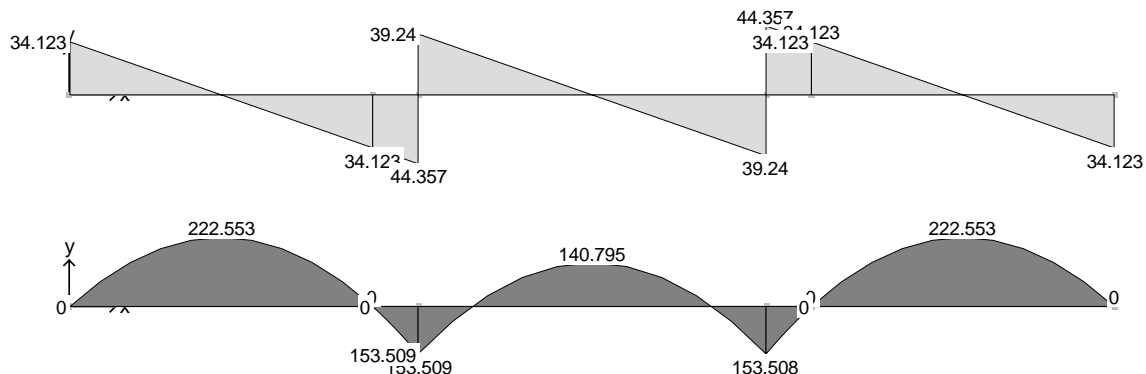
$$1.2D + 1.6W + L + 0.5(L_r \text{ or } S \text{ or } R) \quad w_u = 1.2(580 \text{ lb/ft}) + 1.6(600 \text{ lb/ft}) + 0.5(900 \text{ lb/ft}) = 2106 \text{ lb/ft}$$

$$1.2D + 1.0E + L + 0.25S \quad w_u = 1.2(580 \text{ lb/ft}) + 0.25(900 \text{ lb/ft}) = 921 \text{ lb/ft}$$

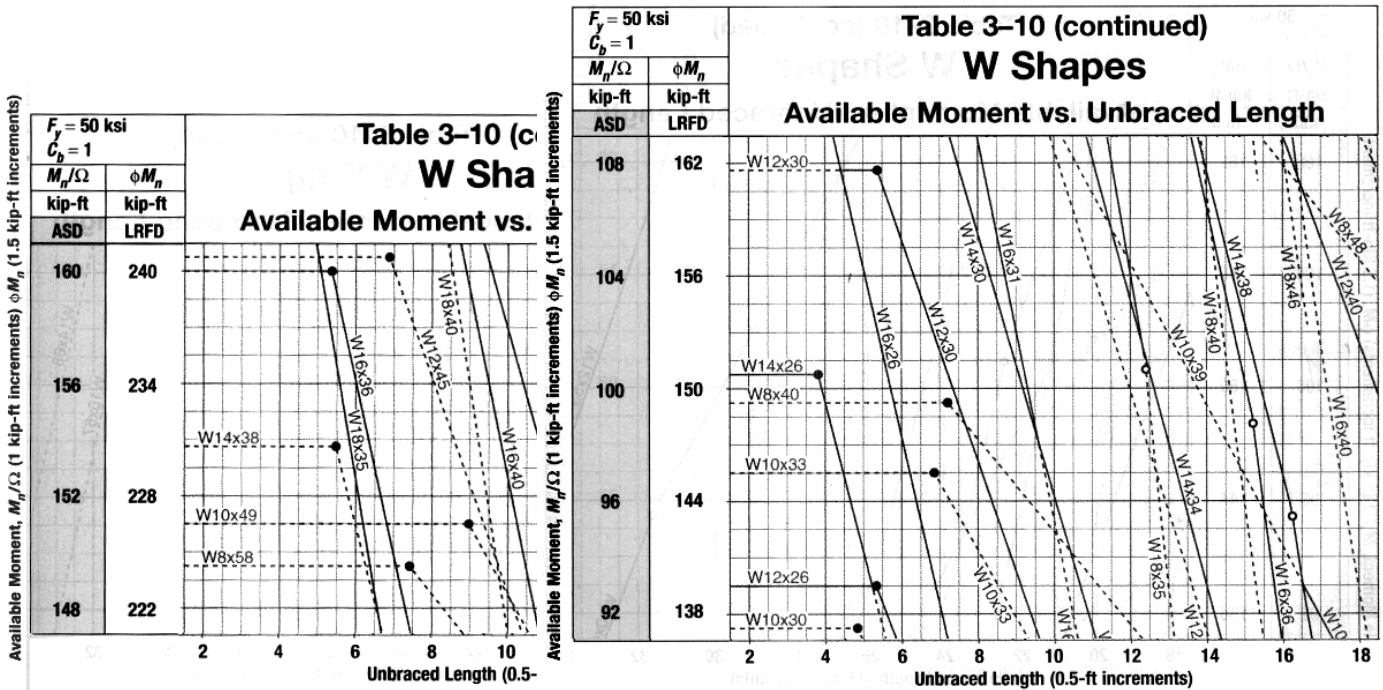
$$0.9D + 1.6W + 1.6H \quad w_u = 0.9(580 \text{ lb/ft}) + 1.6(-600 \text{ lb/ft}) [\text{uplift}] = -438 \text{ lb/ft (up)}$$

L , R , L_r , E & H don't exist for our case.

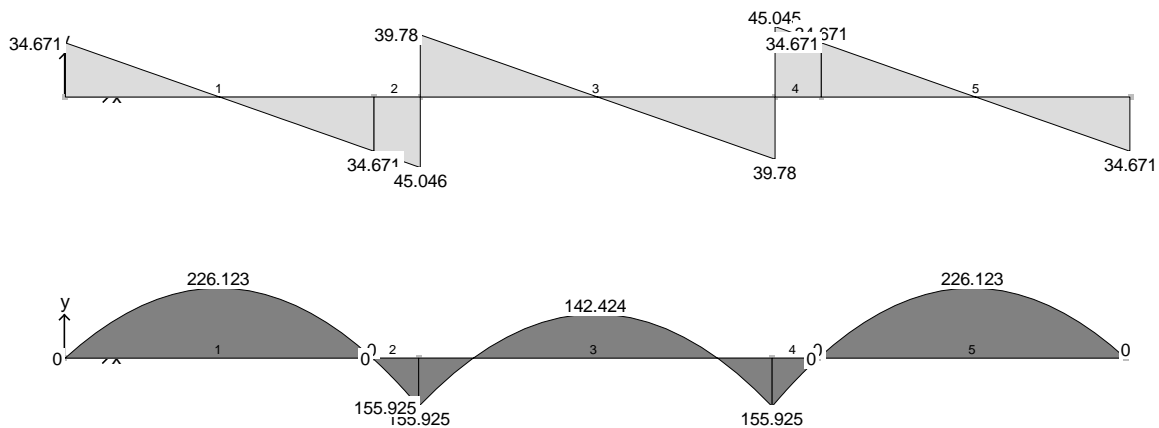
For the largest load case, the shear & bending moment diagrams are:



For the beams, we know that the maximum unbraced length is 6 ft. For the middle 6 feet of the end span, the moment is nearly uniform, so $C_b = 1$ is acceptable ($C_b = 1.08$ for constant moment). For the interior span, C_b is nearly 1 as well.



Choosing a W18x35 ($M_u = 229$ k-ft) for the end beams, and a W12x30 ($M_u = 158$ k-ft) for the interior beam, the self weight can be included in the total weight. The diagrams change to:



Check beam shear: $V_u \leq \phi_v V_n = 1.0(0.6F_y A_w)$

Exterior $V_u = 34.67$ k $\leq 1.0(0.6)(50$ ksi $)(17.1$ in. $)(0.3$ in.) = 153.9 k OK

W18x35: $d = 17.7$ in., $t_w = 0.3$ in., $I_x = 510$ in.⁴

Interior $V_u = 45.05$ k $\leq 1.0(0.6)(50$ ksi $)(12.3$ in. $)(0.26$ in.) = 95.94 k OK

W12x30: $d = 12.3$ in., $t_w = 0.26$ in., $I_x = 238$ in.⁴

Check deflection (NO LOAD FACTORS) for total and live load (gravity and snow).

Exterior Beam: worst deflection is from no live load on the center span:



Maximum $\Delta_{total} = 2.20$ in.

Is $\Delta_{total} \leq L/240 = 360 \text{ in.}/240 = 1.5 \text{ in.}$? NO GOOD

We need an $I \geq (2.20 \text{ in.}/1.5 \text{ in.})(510 \text{ in.}^4) = 748 \text{ in.}^4$

Maximum $\Delta_{live} = 1.86$ in.

Is $\Delta_{live} \leq L/360 = 360 \text{ in.}/360 = 1.0 \text{ in.}$? NO GOOD

We need an $I \geq (1.86 \text{ in.}/1.0 \text{ in.})(510 \text{ in.}^4) = 949 \text{ in.}^4$

The W21x48 looks promising, but it has a note that it exceeds the compact limit for flexure.

Choose a W21 x 50 ($I_x = 984 \text{ in.}^4$) (because the W21x48 would require extra work!)

Now, $\Delta_{live} = 1.07$ in., which is reasonable close.

Table 3-2 (continued)
W Shapes
Selection by Z_x

$F_y = 50 \text{ ksi}$

Z_x

Shape	Z_x in. ³	M_{px}/Ω_b		$\phi_b M_{px}$		M_{rx}/Ω_b		$\phi_b M_{rx}$		BF		L_p ft	L_r ft	I_x in. ⁴	V_{nx}/Ω_v		$\phi_v V_{nx}$	
		kip-ft	LRFD	kip-ft	LRFD	kip-ft	LRFD	ASD	LRFD	ASD	LRFD				ASD	LRFD		
W21x55	126	314	473	192	289	10.8	16.3	6.11	17.4	1140	156	234						
W14x74	126	314	473	196	294	5.34	8.03	8.76	31.0	795	128	191						
W18x60	123	307	461	189	284	9.64	14.5	5.93	18.2	984	151	227						
W12x79	119	297	446	187	281	3.77	5.67	10.8	39.9	662	116	175						
W14x68	115	287	431	180	270	5.20	7.81	8.69	29.3	722	117	175						
W10x88	113	282	424	172	259	2.63	3.95	9.29	51.1	534	131	197						
W18x55	112	279	420	172	258	9.26	13.9	5.90	17.5	890	141	212						
W21x50	110	274	413	165	248	12.2	18.3	4.59	13.6	984	158	237						
W12x72	108	269	405	170	256	3.72	5.59	10.7	37.4	597	105	158						
W21x48 [†]	107	265	398	162	244	9.78	14.7	6.09	16.6	959	144	217						
W16x57	105	262	394	161	242	7.98	12.0	5.65	18.3	758	141	212						
W14x61	102	254	383	161	242	4.96	7.46	8.65	27.5	640	104	156						
W18x50	101	252	379	155	233	8.69	13.1	5.83	17.0	800	128	192						
W10x77	97.6	244	366	150	225	2.59	3.90	9.18	45.2	455	112	169						
W12x65 [†]	96.8	237	356	154	231	3.60	5.41	11.9	35.1	533	94.5	142						

[†] Shape exceeds compact limit for flexure with $F_y = 50 \text{ ksi}$.

ASD	LRFD
$\Omega_b = 1.67$	$\phi_b = 0.90$
$\Omega_v = 1.50$	$\phi_v = 1.00$

Interior Beam: worst deflection is from load on all spans:



Maximum Δ_{total} (at midspan) = 1.31 in.

Is $\Delta_{total} \leq L/240 = 360 \text{ in.}/240 = 1.5 \text{ in.}$? OK

Maximum Δ_{live} (at midspan) = 0.94 in.

Is $\Delta_{live} \leq L/360 = 360 \text{ in.}/360 = 1.0 \text{ in.}$? OK

Columns:

The load in the interior columns: $P_u = 85$ k (sum of the shears). This column will see minimal eccentricity from the difference in shear and half the column depth as the moment arm.

The load in the exterior columns: $P_u = 35$ k. These columns will see some eccentricity from the beam shear connections. We can determine this by using half the column depth as the eccentricity distance.

The effective length of the columns is 15 ft (no intermediate bracing). Table 4-1 shows design strength in kips for W8 shapes (the smallest). The lightest section at 15 feet has a capacity of 230 k; much greater than what we need even with eccentricity.

The exterior column connection moment (unmagnified) when the W8x31 depth = 8.0in

$$(35k)(8.0in/2)(\frac{1ft}{12in}) = 11.7 \text{ k-ft.}$$

The capacity of a W8x31 with an unbraced length of 15 ft (from another beam chart) = 114 k-ft.

For $\frac{P_r}{P_c} < 0.2$:

$$\frac{P_u}{2\phi_c P_n} + \left(\frac{M_{ux}}{\phi_b M_{nx}} + \frac{M_{uy}}{\phi_b M_{ny}} \right) \leq 1.0$$

$$\frac{35k}{230k} = 0.15 < 0.2 : \quad \frac{35k}{2(230k)} + \left(\frac{11.7^{k-ft}}{114^{k-ft}} \right) = 0.179 \leq 1.0$$

so OK for eccentric loading of the beam-column (but we knew that).

Beam Shear Splice Connection:

For this all-bolted single-plate shear splice, $R_u = 35$ k

W21x50: $d = 20.8$ in., $t_w = 0.38$ in.


W12x30: $d = 12.3$ in., $t_w = 0.26$ in.

The plate material is A36 with $F_y = 36$ ksi and $F_u = 58$ ksi. We need to check that we can fit a plate within the fillets and provide enough distance from the last holes to the edge.

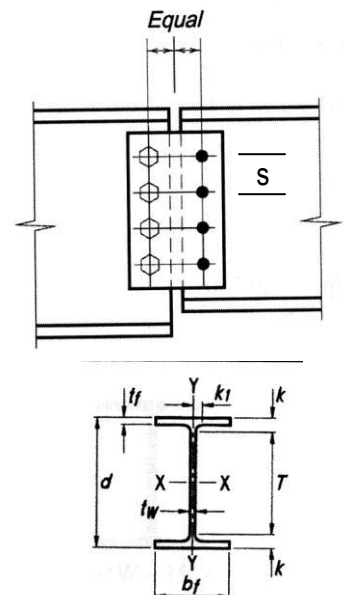
For the W12x30, $T = 10.125$ in., which limits the plate height.

For a plate, s (hole spacing) = 3" and minimum edge distance is 1 1/4".

Table 4-1 (continued)
Available Strength in Axial Compression, kips
 $F_y = 50$ ksi W Shapes



Shape		W8x			
Wt/ft		35		31	
Design		P_n/Ω_c	$\phi_c P_n$	P_n/Ω_c	$\phi_c P_n$
		ASD	LRFD	ASD	LRFD
Effective length KL (ft) with respect to least radius of gyration r_y	0	308	463	273	411
	6	281	423	249	374
	7	272	409	241	362
	8	262	394	232	348
	9	251	377	222	333
	10	239	359	211	317
	11	226	340	200	301
	12	213	321	189	283
	13	200	301	177	266
	14	187	281	165	248
	15	174	261	153	230
	16	160	241	141	212
	17	147	221	130	195
	18	135	203	118	178
	19	123	184	108	162
	20	111	166	97.2	146
	22	91.5	138	80.3	121
24	76.9	116	67.5	101	
26	65.5	98.5	57.5	86.5	
28	56.5	84.9	49.6	74.5	
30	49.2	74.0	43.2	64.9	
32	43.3	65.0	38.0	57.1	
34					



For 3/4 in. diameter A325-N bolts and standard holes without a concern for deformation of the holes, the capacity per bolt is:

shear: $R_u \leq \phi_v R_n$ $\phi = 0.75$, $R_n = F_n A_b$, where $F_n = 54$ ksi

$$35k \leq n(0.75)(54ksi) \left[\frac{\pi(0.75in)^2}{4} \right]$$

so $n \geq 1.96$. Use 2 bolts (1@3 in. + 2@1.25 \approx 5.5 in. < 10.125 in.)

bearing for 2 rows of bolts: depends on thickness of thinnest web (t=0.26 in.) and the connected material

$$R_u \leq \phi R_n \quad \phi = 0.75, \quad R_n = 1.5L_c t F_u \leq 3.0dtF_u$$

$L_c = 1.75$ in. from the vertical edge of the beam to the edge of a hole

$$35k \leq 2^{bolts} [0.75(1.5)(1.75in)(0.26in)(65ksi)] = 38.0 k$$

$$\leq 2^{bolts} [0.75(3)(0.75in)(0.26in)(65ksi)] = 57.0 k \text{ OK}$$

If the spacing between the holes across the splice is 4 in., the eccentricity, e_x is 2 inches. We need to find C, which represents the number of bolts that are effective in resisting the eccentric shear force.

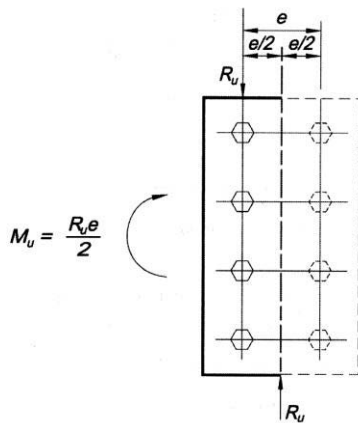


Fig. 10-22. Eccentricity in a symmetrical shear splice.

r_n is the nominal shear per bolt:

$$C_{min} = \frac{35k}{0.75(54ksi) \left(\frac{\pi(0.75in)^2}{4} \right)} = 1.95 \text{ (which we found as } n)$$

C off the table is 2.54 bolts which is more than the minimum of 1.95 (which is why we have 2). OK.

If the plate is 3/8 in. thick x 8 in. wide x 9 in. tall, check bolt bearing on plate:

$$\phi R_n = 2.4dtF_u \text{ (per bolt)}$$

$$2 \text{ bolts} [2.4(0.75 \text{ in.})(0.375 \text{ in.})(58 \text{ ksi})] = 78.3 k > 35 k \text{ OK}$$

Table 7-7 Coefficients C for Eccentrically Loaded Bolt Groups Angle = 0°																
Available strength of a bolt group, ϕR_n or R_n/Ω , is determined with		where														
$R_n = C \times r_n$ or <table border="1"> <tr> <th>LRFD</th> <th>ASD</th> </tr> <tr> <td>$C_{min} = \frac{P_u}{\phi r_n}$</td> <td>$C_{min} = \frac{\Omega P_n}{r_n}$</td> </tr> </table>		LRFD	ASD	$C_{min} = \frac{P_u}{\phi r_n}$	$C_{min} = \frac{\Omega P_n}{r_n}$	P = required force, P_u or P_n , kips r_n = nominal strength per bolt, kips e = eccentricity of P with respect to centroid of bolt group, in. (not tabulated, may be determined by geometry) e_x = horizontal component of e , in. s = bolt spacing, in. C = coefficient tabulated below										
		LRFD	ASD													
$C_{min} = \frac{P_u}{\phi r_n}$	$C_{min} = \frac{\Omega P_n}{r_n}$															
Number of Bolts in One Vertical Row, n																
s , in.	e_x , in.	1	2	3	4	5	6	7	8	9	10	11	12			
3	2	0.84	2.54	4.48	6.59	8.72	10.8	12.9	15.0	17.0	19.0	21.0	23.0			
	3	0.65	2.03	3.68	5.67	7.77	9.91	12.1	14.2	16.3	18.3	20.4	22.5			
	4	0.54	1.67	3.06	4.86	6.84	8.93	11.1	13.2	15.4	17.5	19.6	21.7			
	5	0.45	1.42	2.59	4.21	6.01	8.00	10.1	12.2	14.4	16.5	18.7	20.8			
	6	0.39	1.22	2.25	3.69	5.32	7.17	9.16	11.2	13.4	15.5	17.7	19.8			
	7	0.35	1.08	1.99	3.27	4.74	6.46	8.33	10.3	12.4	14.5	16.7	18.8			
	8	0.31	0.96	1.78	2.93	4.27	5.86	7.60	9.50	11.5	13.6	15.7	17.8			
	9	0.28	0.86	1.60	2.65	3.87	5.34	6.97	8.75	10.7	12.7	14.7	16.8			
	10	0.26	0.78	1.46	2.42	3.53	4.90	6.42	8.10	9.91	11.8	13.8	15.9			
	12	0.22	0.66	1.24	2.06	3.01	4.19	5.51	7.01	8.63	10.4	12.2	14.2			

Check *flexure of the plate*:

design moment: $M_u = \frac{R_u e}{2} = \frac{35k \times 4in}{2} = 70.0 \text{ k-in}$

yielding capacity: $\phi M_n = \phi F_y S_x \quad \phi = 0.9 \quad (5.5 \text{ in. tall section, } 3/8 \text{ in. thick})$

$$0.9(36ksi) \left[\frac{0.375in(5.5in)^2}{6} \right] = 61.25 \text{ k-in} > 70.0 \text{ k-in} \quad \text{NOT OK}$$

with 6 in. tall, $\phi M_n = 72.9 \text{ k-in}$

rupture

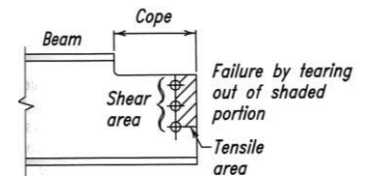
$$\phi M_n = \phi F_u S_{net} \quad \phi = 0.75$$

$$S_{net} = \frac{I_{net}}{c} \quad \text{and can be looked up or calculated} = 1.74 \text{ in}^3$$

$$0.75(58ksi)(1.74in^3) = 75.7 \text{ k-in} > 70.0 \text{ k-in} \quad \text{OK}$$

Check *shear yielding of the plate*: $R_u \leq \phi R_n \quad \phi = 1.00 \quad R_n = 0.6F_y A_g$

$$(1.00)[0.6(36ksi)(6in.)(0.375in.)] = 48.6 \text{ k} > 35 \text{ k} \quad \text{OK}$$



Check *shear rupture of the plate*: $R_u \leq \phi R_n \quad \phi = 0.75 \quad R_n = 0.6F_u A_{nv}$

for $3/4$ " diameter bolts, the effective hole width is $(0.75 + 1/8) = 0.875 \text{ in.}$:

$$(0.75)[0.6(58ksi)(6in. - 2 \times 0.875in.)(0.375in.)] = 41.6 \text{ k} > 35 \text{ k} \quad \text{OK}$$

Check *block shear rupture of the plate*: $R_u \leq \phi R_n \quad \phi = 0.75$

$$R_n = 0.6F_u A_{nv} + U_{bs} F_u A_{nt} \leq 0.6F_y A_{gv} + U_{bs} F_u A_{nt}$$

with $U_{bs} = 0.5$ when the tensile stress is non-uniform. (The tensile stress switches direction across the splice.) (and assuming 2 in. of width to the center of the bolt hole)

$$R_n = 0.60(58ksi)(0.375in)[1.5in + 3in - 1.5^{holes}(0.875)] +$$

$$0.5(58ksi)(0.375in)(2in - 0.875in/2) = 58.69k$$

$$\leq 0.6(36ksi)(0.375in)(1.5in + 3in) + 0.5(36ksi)(0.375in)(2in - 0.875in/2) = 47.0k$$

$$35 \text{ k} < 0.75(47.0 \text{ k}) = 35.2 \text{ k} \quad \text{OK}$$

Column Base Plate:

Column base plates are designed for bearing on the concrete (concrete capacity) and plastic hinge development from flexure because the column "punches" down the plate and it could bend upward near the edges of the column (shown as $0.8b_f$ and $0.95d$). The plate dimensions are B and N. The concrete has a compressive strength, $f'_c = 3 \text{ ksi}$.

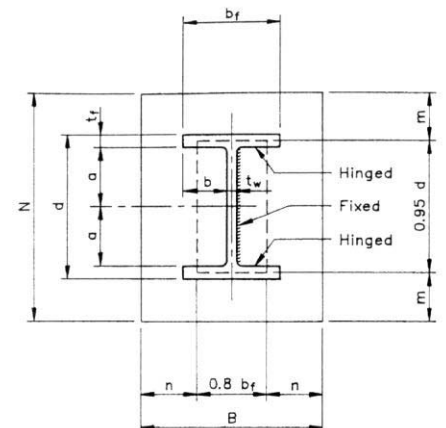


Figure 5.6. Column base plate dimensions

For W8 x 31: $d = 8.0$ in., $b_f = 8.0$ in., and if we provide width to put in bolt holes, we could use a 12 in. by 12 in. plate (allowing about 2 inches each side). We will look at the interior column load of 85 k.

$$\text{minimum thickness: } t_{min} = l \sqrt{\frac{2P_u}{0.9F_yBN}}$$

where l is the larger of m , n and $\lambda n'$

$$m = (N - 0.95d)/2 = (12 \text{ in.} - 0.95 \times 8.0 \text{ in.})/2 = 2.2 \text{ in.}$$

$$n = (B - 0.8b_f)/2 = (12 \text{ in.} - 0.8 \times 8.0 \text{ in.})/2 = 2.8 \text{ in.}$$

$$n' = \frac{\sqrt{db_f}}{4} = \frac{\sqrt{8.0 \text{ in.} \cdot 8.0 \text{ in.}}}{4} = 2.0 \text{ in.}$$

λ is derived from a term X which takes the bounding area of the column, the perimeter, the axial force, and the concrete compressive strength into account:

$$X = \frac{4db_f}{(d + b_f)^2} \cdot \frac{P_u}{\phi_c P_p} = \frac{4db_f}{(d + b_f)^2} \cdot \frac{P_u}{\phi_c (0.85f'_c)BN} = \frac{4 \cdot 8.0 \text{ in.} \cdot 8.0 \text{ in.}}{(8.0 \text{ in.} + 8.0 \text{ in.})^2} \cdot \frac{85 \text{ k}}{0.6(0.85 \cdot 3 \text{ ksi})12 \text{ in.} \cdot 12 \text{ in.}}$$

$$= 0.386$$

$$\lambda = \frac{2\sqrt{X}}{(1 + \sqrt{1 - X})} \leq 1 = \frac{2\sqrt{0.386}}{(1 + \sqrt{1 - 0.386})} = 0.697 \text{ so } \lambda n' = (0.697)(2.0 \text{ in.}) = 1.39 \text{ in.}$$

$$t_p = l \sqrt{\frac{2P_u}{0.9F_yBN}} = (2.8 \text{ in.}) \sqrt{\frac{2 \cdot 85 \text{ k}}{0.9(36 \text{ ksi})(12 \text{ in.})(12 \text{ in.})}} = 0.534 \text{ in.}$$

Use a 9/16 in. thick plate.

The anchor bolts must also be able to resist lateral shear. There also is friction between the steel and concrete to help. The International Building Code provided specifications for minimum edge distances and anchorage.

Continuous Beam Over Interior Column:

The design for this connection will involve a bearing plate at the top of the column, with a minimum number of bolts through the beam flanges to the plate. Because there will be high local compression, stiffener plates for the web will need to be added (refer to a plate girder design). Flexure with a reduced cross section area of the flanges should be checked.

