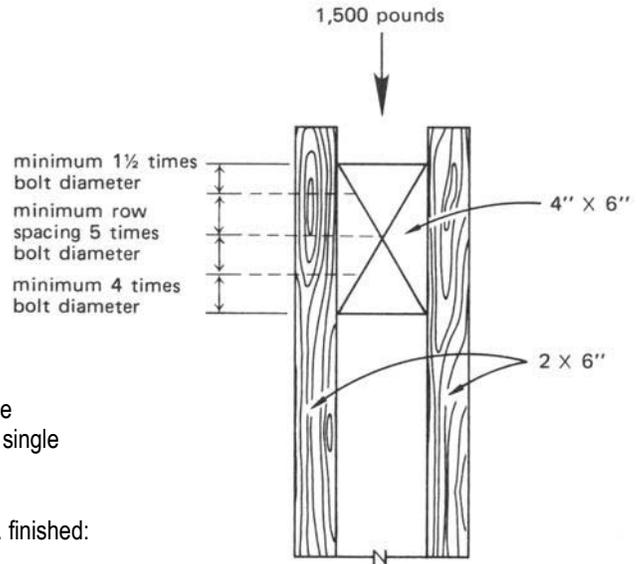


Examples: Connections and Tension Members

Example 1

A nominal 4 x 6 in. redwood beam is to be supported by two 2 x 6 in. members acting as a spaced column. The minimum spacing and edge distances for the 1/2 inch bolts are shown. How many 1/2 in. bolts will be required to safely carry a load of 1500 lb? Use the chart provided.



SOLUTION:

The table requires that the length of the bolt in the main wood member be known, along with the diameter of bolt in inches, and if the bolt is seeing single shear or double shear and what direction it is bearing on the grain.

The main member is the beam. The 4 in. nominal size is actually 3 1/2 in. finished:

The bolt is 1/2 inches in diameter, and sees **two** planes of shear at the interfaces with the 2 x 6's. This means double shear.

The vertical force is pushing the beam down onto the bolt, so the bolt is in contact with the grain running horizontally. That means the bolt is bearing **perpendicular** to the grain, and we should look up *q*.

The allowable load per bolt multiplied by the number of bolts will determine the capacity, which we need to be at least 1500 lb:

$$q \times n \geq P$$

knowing *q* & *P*, the equation for *n* becomes:

$$n \geq \frac{P}{q} = \frac{1500lb}{980lb/bolt} = 1.5 \text{ bolt} \quad \text{rounded up} = 2 \text{ bolts required}$$

Table: Holding Power of Bolts

<p><i>p</i> = Safe loads parallel to grain in pounds <i>q</i> = Safe loads perpendicular to grain in pounds</p>										
Length of Bolt in Main Wood Member ³ (in inches)	DIAMETER OF BOLT (IN INCHES)									
	3/8	1/2	5/8	3/4	7/8	1	1 1/8	1 1/4	1 1/2	
1 1/2	Single <i>p</i>	325	470	590	710	830	945			
	Shear <i>q</i>	185	215	245	270	300	325			
2 1/2	Double <i>p</i>	650	940	1180	1420	1660	1890			
	Shear <i>q</i>	370	430	490	540	600	650			
3 1/2	Single <i>p</i>		630	910	1155	1370	1575			
	Shear <i>q</i>		360	405	450	495	540			
4 1/2	Double <i>p</i>	710	1260	1820	2310	2740	3150			
	Shear <i>q</i>	620	720	810	900	990	1080			
5 1/2	Single <i>p</i>			990	1400	1790	2135	2455	2740	3305
	Shear <i>q</i>			565	630	695	760	825	895	1020
6 1/2	Double <i>p</i>	710	1270	1980	2800	3580	4270	4910	5480	6610
	Shear <i>q</i>	640	980	1130	1260	1390	1520	1650	1780	2040

¹Tabulated values are on a normal load-duration basis and apply to joints made of seasoned lumber used in dry locations. See U.B.C. Standard No. 25-17 for other service conditions.

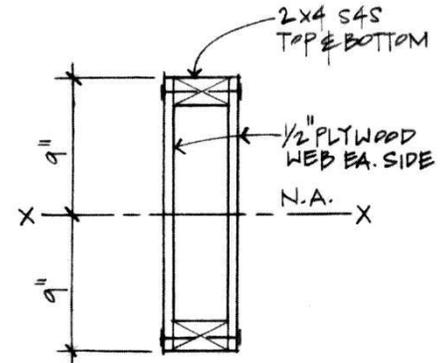
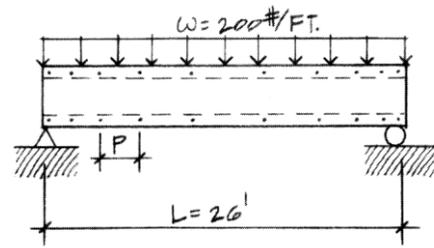
²Double shear values are for joints consisting of three wood members in which the side members are one half the thickness of the main member. Single shear values are for joints consisting of two wood members having a minimum thickness not less than that specified.

³The length specified is the length of the bolt in the main member of double shear joints or the length of the bolt in the thinner member of single shear joints.

⁴See U.B.C. Standard No. 25-17 for wood-to-metal bolted joints.

Example 2

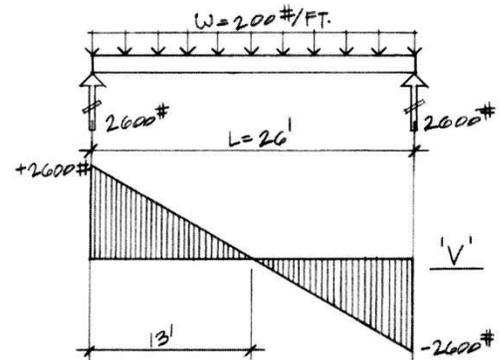
8.11 A built-up plywood box beam with 2 x 4 S4S top and bottom flanges is held together by nails. Determine the pitch (spacing) of the nails if the beam supports a uniform load of 200 #/ft. along the 26-foot span. Assume the nails have a shear capacity of 80# each.



Solution:

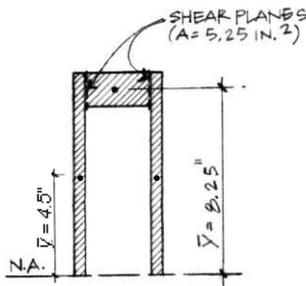
Construct the shear (V) diagram to obtain the critical shear condition and its location

Note that the condition of shear is critical at the supports, and the shear intensity decreases as you approach the center line of the beam. This would indicate that the nail spacing P varies from the support to midspan. Nails are closely spaced at the support, but increasing spacing occurs toward midspan, following the shear diagram.



$$f_v = \frac{VQ}{Ib}$$

$$I_x = \frac{(4.5'')(18'')^3}{12} - \frac{(3.5'')(15'')^3}{12} = 1,202.6 \text{ in.}^4$$



$$Q = \Sigma A\bar{y} = (9'')(1/2'')(4.5'') + (9'')(1/2'')(4.5'') + (1.5'')(3.5'')(8.25'') = 83.8 \text{ in.}^3$$

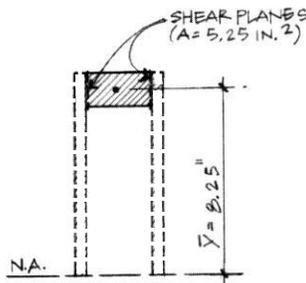
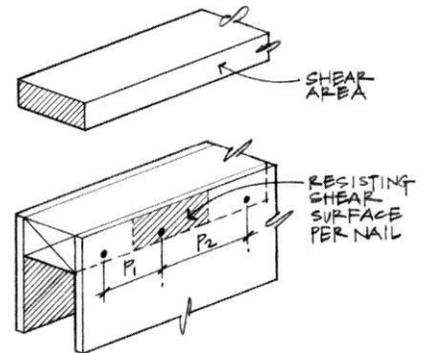
$$f_{v\text{-max}} = \frac{(2,600\#)(83.3\text{in.}^3)}{(1,202.6\text{in.}^4)(1/2'' + 1/2'')} = 180.2 \text{ psi}$$

Assume:

F = Capacity of two nails (one each side) at the flange; representing two shear surfaces

$$(n)F \geq f_v \times b \times p = \frac{VQ}{Ib} \times bp$$

$$\therefore (n)F \geq p \times \frac{VQ}{I}; \quad p \leq \frac{(n)FI}{VQ}$$



$$Q = A\bar{y} = (5.25 \text{ in.}^2)(8.25'') = 43.3 \text{ in.}^3$$

$$\text{Shear force} = f_v \times A_v$$

where:

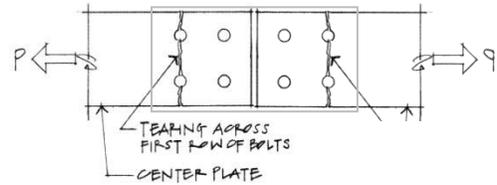
$$A_v = \text{shear area}$$

At the maximum shear location (support) where V = 2,600#

$$p = \frac{(2 \text{ nails} \times 80 \text{ #/nail})(1,202.6 \text{ in.}^4)}{(2,600\#)(43.3 \text{ in.}^3)} = 1.71''$$

Example 3

10.2 The butt splice shown in Figure 10.22 uses two 8 x 3/8" plates to "sandwich" in the 8 x 1/2" plates being joined. Four 7/8" φ A325-SC bolts are used on both sides of the splice. Assuming A36 steel and standard round holes, determine the allowable capacity of the connection.



SOLUTION:

Shear, bearing and net tension will be checked to determine the critical conditions that governs the capacity of the connection. (The edge distance to the holes is presumed to be adequate.)

Shear: Using the AISC available shear in Table 7-3 (Group A):

$$\phi R_n = 26.4 \text{ k/bolt} \times 4 \text{ bolts} = 105.6 \text{ k}$$

Bearing: Using the AISC available bearing in Table 7-4:

There are 4 bolts bearing on the center (1/2") plate, while there are 4 bolts bearing on a total width of two sandwich plates (3/4" total). The thinner bearing width will govern. Assume 3 in. spacing (center to center) of bolts. For A36 steel, $F_u = 58 \text{ ksi}$.

$$\phi R_n = 91.4 \text{ k/bolt/in.} \times 0.5 \text{ in.} \times 4 \text{ bolts} = 182.8 \text{ k}$$

Tension: The center plate is critical, again, because its thickness is less than the combined thicknesses of the two outer plates. We must consider tension yielding and tension rupture:

$$\phi R_n = \phi F_y A_g \quad \text{and} \quad \phi R_n = \phi F_u A_e \quad \text{where} \quad A_e = A_{net} U$$

$$A_g = 8 \text{ in.} \times \frac{1}{2} \text{ in.} = 4 \text{ in}^2$$

The holes are considered 1/8 in. larger than the bolt hole diameter = $(7/8 + 1/8) = 1.0 \text{ in.}$

$$A_n = (8 \text{ in.} - 2 \text{ holes} \times 1.0 \text{ in.}) \times \frac{1}{2} \text{ in.} = 3.0 \text{ in}^2$$

The whole cross section sees tension, so the shear lag factor $U = 1$

$$\phi F_y A_g = 0.9 \times 36 \text{ ksi} \times 4 \text{ in}^2 = 129.6 \text{ k}$$

$$\phi F_u A_e = 0.75 \times 58 \text{ ksi} \times (1) \times 3.0 \text{ in}^2 = 130.5 \text{ k}$$

Block Shear Rupture: It is possible for the center plate to rip away from the sandwich plates leaving the block (shown hatched) behind:

$$\phi R_n = \phi(0.6 F_u A_{nv} + U_{bs} F_u A_{nt}) \leq \phi(0.6 F_y A_{gv} + U_{bs} F_u A_{nt})$$

where A_{nv} is the area resisting shear, A_{nt} is the area resisting tension, A_{gv} is the gross area resisting shear, and $U_{bs} = 1$ when the tensile stress is uniform.

$$A_{gv} = (4 + 2 \text{ in.}) \times \frac{1}{2} \text{ in.} = 3 \text{ in}^2$$

$$A_{nv} = A_{gv} - 1 \frac{1}{2} \text{ holes area} = 3 \text{ in}^2 - 1.5 \times 1 \text{ in.} \times \frac{1}{2} \text{ in.} = 2.25 \text{ in}^2$$

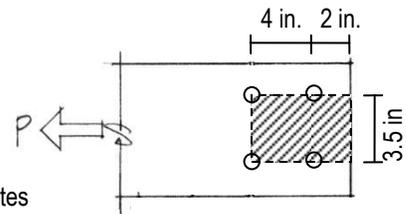
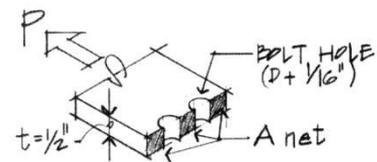
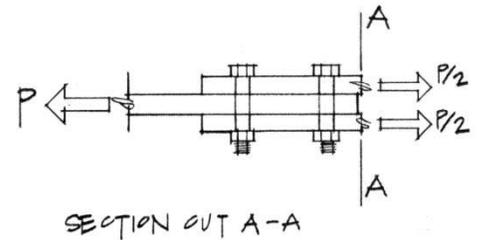
$$A_{nt} = 3.5 \text{ in.} \times t - 1 \text{ holes} = 3.5 \text{ in.} \times \frac{1}{2} \text{ in.} - 1 \times 1 \text{ in.} \times \frac{1}{2} \text{ in.} = 1.25 \text{ in}^2$$

$$\phi(0.6 F_u A_{nv} + U_{bs} F_u A_{nt}) = 0.75 \times (0.6 \times 58 \text{ ksi} \times 2.25 \text{ in}^2 + 1 \times 58 \text{ ksi} \times 1.25 \text{ in}^2) = 113.1 \text{ k}$$

$$\phi(0.6 F_y A_{gv} + U_{bs} F_u A_{nt}) = 0.75 \times (0.6 \times 36 \text{ ksi} \times 3 \text{ in}^2 + 1 \times 58 \text{ ksi} \times 1.25 \text{ in}^2) = 103.0 \text{ k}$$

The maximum connection capacity (*smallest value*) is governed by block shear rupture.

$$\phi R_n = 103.0 \text{ k}$$



Example 4

10.7 Determine the capacity of the connection in Figure 10.44 assuming A36 steel with E70XX electrodes.

Solution:

Capacity of weld:

For a 5/16" fillet weld, $\phi S = 6.96$ k/in

Weld length = 8 in + 6 in + 8 in = 22 in.

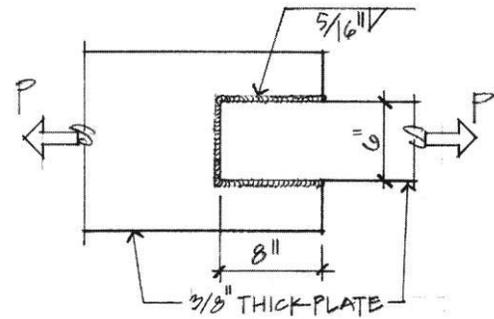
Weld capacity = 22" \times 6.96 k/in = 153.1 k

Capacity of plate: 0.9×36 k/in² \times 3/8" \times 6" = 72.9 k

$$\phi P_n = \phi F_y A_g \quad \phi = 0.9$$

Plate capacity = 0.9×36 k/in² \times 3/8" \times 6" = 72.9 k

\therefore Plate capacity governs, $P_u = 72.9$ k



The weld size used is obviously too strong. What size, then, can the weld be reduced to so that the weld strength is more compatible to the plate capacity? To make the weld capacity \approx plate capacity:

$$22" \times (\text{weld capacity per in.}) = 72.9 \text{ k}$$

$$\text{Weld capacity per inch} = \frac{72.9 \text{ k}}{22 \text{ in.}} = 3.31 \text{ k/in.}$$

From Available Strength table, use 3/16" weld ($\phi S = 4.18$ k/in.)

Minimum size fillet = 3/16" based on a 3/8" thick plate.

Available Strength of Fillet Welds per inch of weld (ϕS)		
Weld Size (in.)	E60XX (k/in.)	E70XX (k/in.)
3/16	3.58	4.18
1/4	4.77	5.57
5/16	5.97	6.96
3/8	7.16	8.35
7/16	8.35	9.74
1/2	9.55	11.14
5/8	11.93	13.92
3/4	14.32	16.70

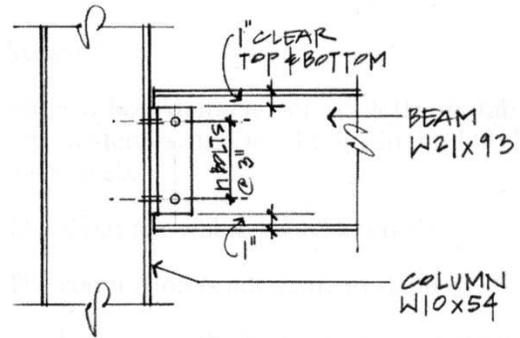
(not considering increase in throat with submerged arc weld process)

**Table 7-1
Available Shear
Strength of Bolts, kips**

Nominal Bolt Diameter, d , in.					5/8		3/4		7/8		1	
Nominal Bolt Area, in. ²					0.307		0.442		0.601		0.785	
ASTM Desig.	Thread Cond.	F_{nv}/Ω (ksi)		Load- ing	r_n/Ω	ϕr_n	r_n/Ω	ϕr_n	r_n/Ω	ϕr_n	r_n/Ω	ϕr_n
		ASD	LRFD		ASD	LRFD	ASD	LRFD	ASD	LRFD	ASD	LRFD
Group A	N	27.0	40.5	S	8.29	12.4	11.9	17.9	16.2	24.3	21.2	31.8
	D	16.6	24.9	D	10.4	15.7	15.0	22.5	20.4	30.7	42.4	40.0
Group B	N	34.0	51.0	S	10.4	15.7	15.0	22.5	20.4	30.7	26.7	40.0
	D	20.9	31.3	D	20.9	31.3	30.1	45.1	40.9	61.3	53.4	80.1
A307	N	34.0	51.0	S	12.9	19.3	18.6	27.8	25.2	37.9	33.0	49.5
	D	42.0	63.0	D	25.8	38.7	37.1	55.7	50.5	75.7	65.9	98.9
A307	N	13.5	20.3	S	4.14	6.23	5.97	8.97	8.11	12.2	10.6	15.9
	D	8.29	12.5	D	8.29	12.5	11.9	17.9	16.2	24.4	21.2	31.9
Nominal Bolt Diameter, d , in.					1 1/8		1 1/4		1 3/8		1 1/2	
Nominal Bolt Area, in. ²					0.994		1.23		1.48		1.77	
ASTM Desig.	Thread Cond.	F_{nv}/Ω (ksi)		Load- ing	r_n/Ω	ϕr_n	r_n/Ω	ϕr_n	r_n/Ω	ϕr_n	r_n/Ω	ϕr_n
		ASD	LRFD		ASD	LRFD	ASD	LRFD	ASD	LRFD	ASD	LRFD
Group A	N	27.0	40.5	S	26.8	40.3	33.2	49.8	40.0	59.9	47.8	71.7
	D	53.7	80.5	D	33.8	50.7	41.8	62.7	50.3	75.5	60.2	90.3
Group B	N	34.0	51.0	S	33.8	50.7	41.8	62.7	50.3	75.5	60.2	90.3
	D	67.6	101	D	67.6	101	83.6	125	101	151	120	181
A307	N	34.0	51.0	S	41.7	62.6	51.7	77.5	62.2	93.2	74.3	112
	D	83.5	125	D	83.5	125	103	155	124	186	149	223
A307	N	13.5	20.3	S	13.4	20.2	16.6	25.0	20.0	30.0	23.9	35.9
	D	26.8	40.4	D	26.8	40.4	33.2	49.9	40.0	60.1	47.8	71.9
ASD	LRFD	For end loaded connections greater than 38 in., see AISC Specification Table J3.2 footnote b.										
$\Omega = 2.00$	$\phi = 0.75$											

Example 5

The steel used in the connection and beams is A992 with $F_y = 50$ ksi, and $F_u = 65$ ksi. Using A490-N bolt material, determine the maximum capacity of the connection based on shear in the bolts, bearing in all materials and pick the number of bolts and angle length (not staggered). Use A36 steel for the angles.



W21x93: $d = 21.62$ in, $t_w = 0.58$ in, $t_f = 0.93$ in
 W10x54: $t_f = 0.615$ in

SOLUTION:

The maximum length the angles can be depends on how it fits between the top and bottom flange with some clearance allowed for the fillet to the flange, and getting an air wrench in to tighten the bolts. This example uses 1" of clearance:

$$\begin{aligned} \text{Available length} &= \text{beam depth} - \text{both flange thicknesses} - 1" \text{ clearance at top \& 1" at bottom} \\ &= 21.62 \text{ in} - 2(0.93 \text{ in}) - 2(1 \text{ in}) = 17.76 \text{ in.} \end{aligned}$$

With the spaced at 3 in. and 1 1/4 in. end lengths (each end), the maximum number of bolts can be determined:

$$\begin{aligned} \text{Available length} &\geq 1.25 \text{ in.} + 1.25 \text{ in.} + 3 \text{ in.} \times (\text{number of bolts} - 1) \\ \text{number of bolts} &\leq (17.76 \text{ in} - 2.5 \text{ in.} - (-3 \text{ in.}))/3 \text{ in.} = 6.1, \text{ so 6 bolts.} \end{aligned}$$

It is helpful to have the All-bolted Double-Angle Connection Tables 10-1. They are available for 3/4", 7/8", and 1" bolt diameters and list angle thicknesses of 1/4", 5/16", 3/8", and 1/2". Increasing the angle thickness is likely to increase the angle strength, although the limit states include shear yielding of the angles, shear rupture of the angles, and block shear rupture of the angles.

Beam	Angle	F _y = 50 ksi F _u = 65 ksi		F _y = 36 ksi F _u = 58 ksi		Table 10-1 (continued) All-Bolted Double-Angle Connections 7/8-in. Bolts											
		Bolt and Angle Available Strength, kips															
		6 Rows W40, 36, 33, 30, 27, 24, 21	Bolt Group	Thread Cond.	Hole Type	Angle Thickness, in.											
1/4						5/16		3/8		1/2							
				ASD	LRFD	ASD	LRFD	ASD	LRFD	ASD	LRFD	ASD	LRFD				
	Group A	N	STD	98.6	148	123	185	148	222	195	292						
			X	98.6	148	123	185	148	222	197	296						
		SC Class A	STD	98.6	148	106	159	106	159	106	159	106	159				
			OVS	90.1	135	90.1	135	90.1	135	90.1	135	90.1	135				
			SSLT	97.3	146	106	159	106	159	106	159	106	159				
		SC Class B	STD	98.6	148	123	185	148	222	176	264						
	OVS		93.5	140	117	175	140	210	150	225							
	SSLT		97.3	146	122	182	146	219	176	264							
	Group B	N	STD	98.6	148	123	185	148	222	197	296						
			X	98.6	148	123	185	148	222	197	296						
		SC Class A	STD	98.6	148	123	185	133	199	133	199						
			OVS	93.5	140	113	169	113	169	113	169						
SSLT			97.3	146	122	182	133	199	133	199							
SC Class B		STD	98.6	148	123	185	148	222	197	296							
	OVS	93.5	140	117	175	140	210	187	281								
	SSLT	97.3	146	122	182	146	219	195	292								

For these diameters the available shear (double) from Table 7-1 for 6 bolts is (6)41.5 k/bolt = 270.6 kips, (6)61.3 k/bolt = 367.8 kips, and (6)80.1 k/bolt = 480.6 kips.

Tables 10-1 (not all provided here) list a bolt and angle available strength of 271 kips for the 3/4" bolts, 296 kips for the 7/8" bolts, and 281 kips for the 1" bolts. It appears that increasing the bolt diameter to 1" will not gain additional load. Use 7/8" bolts.

$$\phi R_n = 368.7 \text{ kips for double shear of 7/8" bolts} \quad \phi R_n = 296 \text{ kips for limit state in angles}$$

We also need to evaluate bearing of bolts on the beam web, and column flange where there are bolt holes. Table 7-5 provides available bearing strength for the material type, bolt diameter, hole type, and spacing per inch of material thicknesses.

a) Bearing for beam web: There are 6 bolt holes through the beam web. This is typically the critical bearing limit value because there are two angle legs that resist bolt bearing and twice as many bolt holes to the column. The material is A992 ($F_u = 65$ ksi), 0.58" thick, with 7/8" bolt diameters at 3 in. spacing.

$$\phi R_n = 6 \text{ bolts} \cdot (102 \text{ k/bolt/inch}) \cdot (0.58 \text{ in}) = 355.0 \text{ kips}$$

b) Bearing for column flange: There are 12 bolt holes through the column. The material is A992 ($F_u = 65$ ksi), 0.615" thick, with 1" bolt diameters.

$$\phi R_n = 12 \text{ bolts} \cdot (102 \text{ k/bolt/inch}) \cdot (0.615 \text{ in}) = 752.8 \text{ kips}$$

Although, the bearing in the beam web is the smallest at 355 kips, with the shear on the bolts even smaller at 324.6 kips, the maximum capacity for the simple-shear connector is 296 kips limited by the critical capacity of the angles.

Table 7-4
Available Bearing Strength at Bolt Holes
Based on Bolt Spacing
 kips/in. thickness

Hole Type	Bolt Spacing, s , in.	F_u , ksi	Nominal Bolt Diameter, d , in.											
			$5/8$		$3/4$		$7/8$		1		$1\frac{1}{8}$		$1\frac{1}{2}$	
			r_n/Ω	ϕr_n	r_n/Ω	ϕr_n	r_n/Ω	ϕr_n	r_n/Ω	ϕr_n	r_n/Ω	ϕr_n	r_n/Ω	ϕr_n
STD	$2\frac{1}{2}s$ d_b	58	34.1	51.1	41.3	62.0	48.6	72.9	55.8	83.7	55.8	83.7	55.8	83.7
		65	38.2	57.3	46.3	69.5	54.4	81.7	62.6	93.8	62.6	93.8	62.6	93.8
SSLT	3 in.	58	43.5	65.3	52.2	78.3	60.9	91.4	67.4	101	67.4	101	67.4	101
		65	48.8	73.1	58.5	87.8	68.3	102	75.6	113	75.6	113	75.6	113
SSLP	$2\frac{1}{2}s$ d_b	58	27.6	41.3	34.8	52.2	42.1	63.1	47.1	70.7	47.1	70.7	47.1	70.7
		65	30.9	46.3	39.0	58.5	47.1	70.7	52.8	79.2	52.8	79.2	52.8	79.2
OVS	3 in.	58	43.5	65.3	52.2	78.3	60.9	91.4	58.7	88.1	58.7	88.1	58.7	88.1
		65	48.8	73.1	58.5	87.8	68.3	102	65.8	98.7	65.8	98.7	65.8	98.7
OVS	$2\frac{1}{2}s$ d_b	58	29.7	44.6	37.0	55.5	44.2	66.3	49.3	74.0	49.3	74.0	49.3	74.0
		65	33.3	50.0	41.4	62.2	49.6	74.3	55.3	82.9	55.3	82.9	55.3	82.9
LSLP	3 in.	58	43.5	65.3	52.2	78.3	60.9	91.4	60.9	91.4	60.9	91.4	60.9	91.4
		65	48.8	73.1	58.5	87.8	68.3	102	68.3	102	68.3	102	68.3	102
LSLP	$2\frac{1}{2}s$ d_b	58	3.62	5.44	4.35	6.53	5.08	7.61	5.80	8.70	5.80	8.70	5.80	8.70
		65	4.06	6.09	4.88	7.31	5.69	8.53	6.50	9.75	6.50	9.75	6.50	9.75
LSLP	3 in.	58	43.5	65.3	52.2	78.3	60.9	91.4	42.4	63.1	42.4	63.1	42.4	63.1
		65	48.8	73.1	58.5	87.8	68.3	102	47.5	70.7	47.5	70.7	47.5	70.7
LSLP	$2\frac{1}{2}s$ d_b	58	28.4	42.6	34.4	51.7	40.5	60.7	46.5	69.8	46.5	69.8	46.5	69.8
		65	31.8	47.7	38.6	57.9	45.4	68.0	52.1	78.2	52.1	78.2	52.1	78.2
LSLP	3 in.	58	36.3	54.4	43.5	65.3	50.8	76.1	56.2	84.3	56.2	84.3	56.2	84.3
		65	40.6	60.9	48.8	73.1	56.9	85.3	63.0	94.5	63.0	94.5	63.0	94.5
STD, SSLT, LSLT	$s \geq s_{full}$	58	43.5	65.3	52.2	78.3	60.9	91.4	69.6	104	69.6	104	69.6	104
		65	48.8	73.1	58.5	87.8	68.3	102	78.0	117	78.0	117	78.0	117
LSLP	$s \geq s_{full}$	58	36.3	54.4	43.5	65.3	50.8	76.1	58.0	87.0	58.0	87.0	58.0	87.0
		65	40.6	60.9	48.8	73.1	56.9	85.3	65.0	97.5	65.0	97.5	65.0	97.5
Spacing for full bearing strength s_{full}^a , in.	s_{full}^a , in.	STD, SSLT, LSLT	$1\frac{15}{16}$		$2\frac{5}{16}$		$2\frac{11}{16}$		$3\frac{1}{16}$		$3\frac{1}{16}$		$3\frac{1}{16}$	
		OVS	$2\frac{1}{16}$		$2\frac{7}{16}$		$2\frac{13}{16}$		$3\frac{1}{4}$		$3\frac{1}{4}$		$3\frac{1}{4}$	
Minimum Spacing ^a = $2\frac{1}{2}d$, in.	s_{full}^a , in.	SSLP	$2\frac{1}{16}$		$2\frac{1}{2}$		$2\frac{7}{8}$		$3\frac{5}{16}$		$3\frac{5}{16}$		$3\frac{5}{16}$	
		LSLP	$2\frac{13}{16}$		$3\frac{3}{8}$		$3\frac{13}{16}$		$4\frac{1}{2}$		$4\frac{1}{2}$		$4\frac{1}{2}$	
Minimum Spacing ^a = $2\frac{1}{2}d$, in.	s_{full}^a , in.	STD, SSLT, LSLT	$1\frac{11}{16}$		2		$2\frac{5}{16}$		$2\frac{11}{16}$		$2\frac{11}{16}$		$2\frac{11}{16}$	

Note: Spacing indicated is from the center of the hole or slot to the center of the adjacent hole or slot in the line of force. Hole deformation is considered. When hole deformation is not considered, see AISC Specification Section J3.10.
^a Decimal value has been rounded to the nearest sixteenth of an inch.

Table 7-3
Slip-Critical Connections
 Available Shear Strength, kips
 (Class A Faying Surface, $\mu = 0.30$)

Group A Bolts	Hole Type	Loading	Nominal Bolt Diameter, d , in.											
			$5/8$		$3/4$		$7/8$		1		$1\frac{1}{8}$		$1\frac{1}{2}$	
			r_n/Ω	ϕr_n	r_n/Ω	ϕr_n	r_n/Ω	ϕr_n	r_n/Ω	ϕr_n	r_n/Ω	ϕr_n	r_n/Ω	ϕr_n
A325, A325M	STD/SSLT	S	4.29	6.44	6.33	9.49	8.81	13.2	11.5	17.3	11.5	17.3	11.5	17.3
		D	8.59	12.9	12.7	19.0	17.6	26.4	23.1	34.6	23.1	34.6	23.1	34.6
F1858	OVS/SSLP	S	3.66	5.47	5.39	8.07	7.51	11.2	9.82	14.7	9.82	14.7	9.82	14.7
		D	7.32	10.9	10.8	16.1	15.0	22.5	19.6	29.4	19.6	29.4	19.6	29.4
A354 Grade BC	LSL	S	3.01	4.51	4.44	6.64	6.18	9.25	8.08	12.1	8.08	12.1	8.08	12.1
		D	6.02	9.02	8.87	13.3	12.4	18.5	16.2	24.2	16.2	24.2	16.2	24.2

Note: Slip-critical bolt values assume no more than one filler has been provided or bolts have been added to distribute loads in the fillers. See AISC Specification Sections J3.8 and J5 for provisions when fillers are present. For Class B faying surfaces, multiply the tabulated available strength by 1.67.

S = single shear
 D = double shear

STD = standard hole
 OVS = oversized hole
 SSLT = short-slotted hole transverse to the line of force
 SSLP = short-slotted hole parallel to the line of force
 LSL = long-slotted hole transverse or parallel to the line of force

Hole Type ASD LRFD
 STD and SSLT $\Omega = 1.50$ $\phi = 1.00$
 OVS and SSLP $\Omega = 1.76$ $\phi = 0.85$
 LSL $\Omega = 2.14$ $\phi = 0.70$