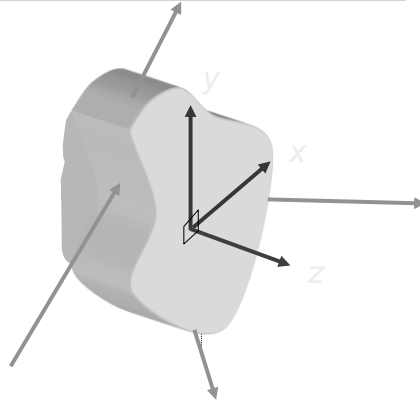


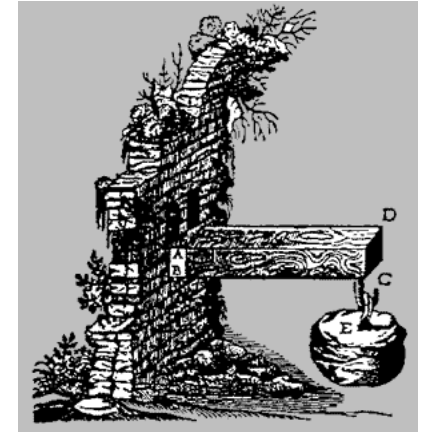
lecture
two

loads, forces
and vectors



Structural Design

- planning
- preliminary structural configuration
- determination of loads
- preliminary member selection
- analysis
- evaluation
- design revision
- final design



Structural Loads

- **STATIC and DYNAMIC**
- **dead load**
 - static, fixed, includes building weight, fixed equipment
- **live load**
 - transient and moving loads (including occupants), snowfall

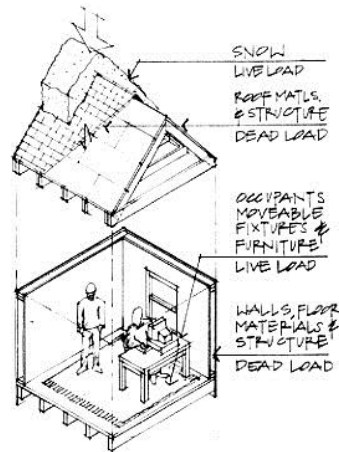


Figure 1.12 Typical building loads.

Structural Loads

- **wind loads**
 - dynamic, wind pressures treated as lateral static loads on walls, up or down loads on roofs

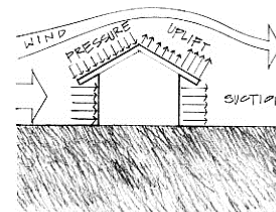
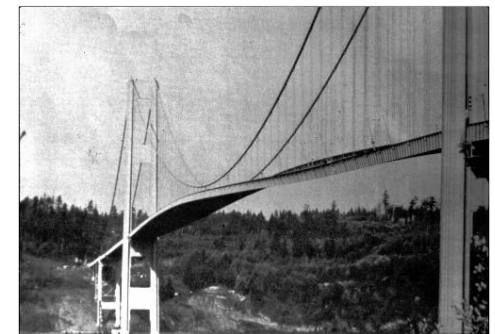


Figure 1.13 Wind loads on a structure.



Structural Loads

- earthquake loads
 - seismic, movement of ground

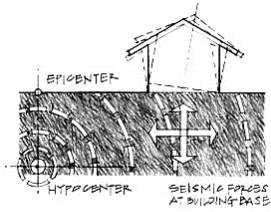
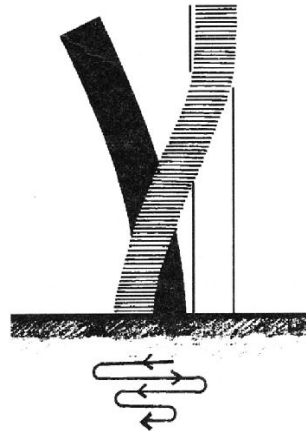
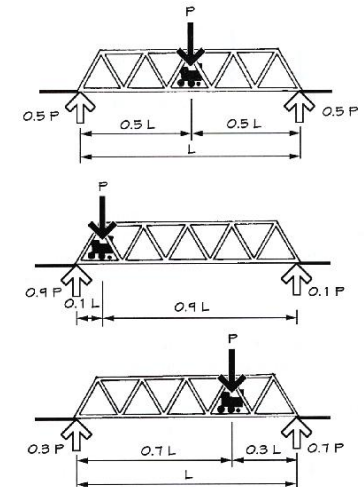
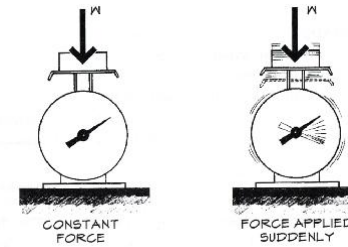


Figure 1.14 Earthquake loads on a structure.



Structural Loads

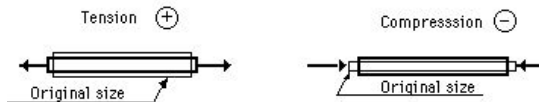
- impact loads
 - rapid, energy loads



Forces

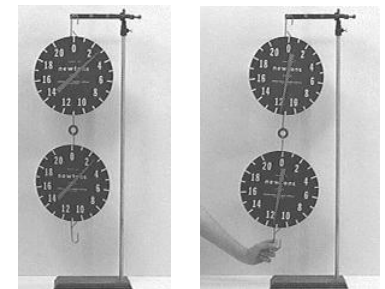
- statics
 - physics of forces and reactions on bodies and systems
 - equilibrium (bodies at rest)
- forces
 - something that exerts on an object:

- motion
- tension
- compression



Forces

- “action of one body on another that affects the state of motion or rest of the body”
- Newton’s 3rd law:
 - for every force of action there is an equal and opposite reaction along the same line



<http://nisee.berkeley.edu/godden>

Force Vectors

- applied at a point
- magnitude
 - Imperial units: lb, k (kips)
 - SI units: N (newtons), kN
- direction
- sense



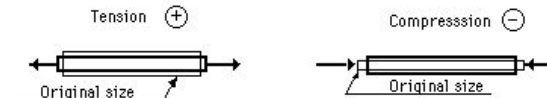
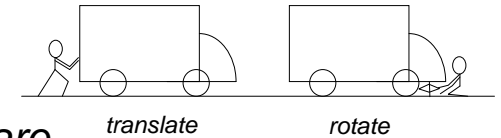
Forces 12
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Forces on Rigid Bodies

- for statics, the bodies are ideally rigid
- can translate and rotate
- internal forces are
 - in bodies
 - between bodies (connections)
- external forces act on bodies



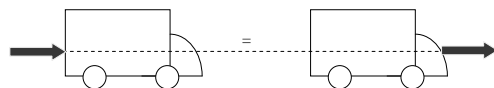
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Transmissibility

- the force stays on the same line of action
- truck can't tell the difference



- only valid for **EXTERNAL** forces

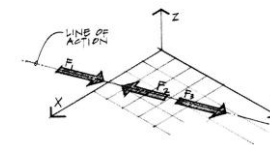
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Force System Types

- collinear



Collinear—All forces acting along the same straight line.
Figure 2.17(a) Particle or rigid body.

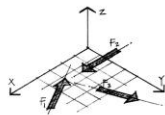
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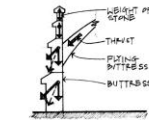
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Force System Types

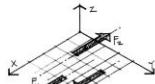
- coplanar



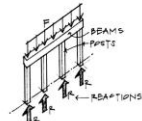
Coplanar—All forces acting in the same plane.
Figure 2.17(b) Rigid bodies.



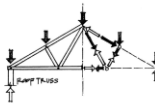
Forces in a buttress system.



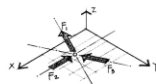
Coplanar, parallel—All forces are parallel and act in the same plane.
Figure 2.17(c) Rigid bodies.



A beam supported by a series of columns.



Loads applied to a roof truss.



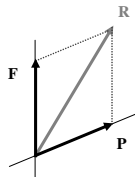
Coplanar, concurrent—All forces intersect at a common point and lie in the same plane.
Figure 2.17(d) Particle or rigid body.

Adding Vectors

- graphically

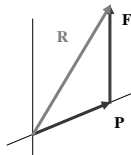
- parallelogram law

- diagonal
- long for 3 or more vectors



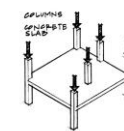
- tip-to-tail

- more convenient with lots of vectors



Force System Types

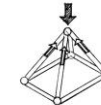
- space



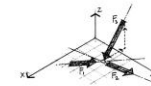
Column loads in a concrete building.



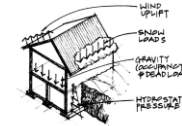
Noncoplanar, parallel—All forces are parallel to each other, but not all lie in the same plane.
Figure 2.17(e) Rigid bodies.



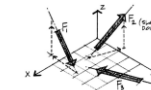
One component of a three-dimensional space frame.



Noncoplanar, concurrent—All forces intersect at a common point but do not all lie in the same plane.
Figure 2.17(f) Particle or rigid bodies.



Array of forces acting simultaneously on a house.



Noncoplanar, nonconcurrent—All forces are skewed.
Figure 2.17(g) Rigid bodies.

Force Components

- convenient to resolve into 2 vectors

- at right angles

- in a “nice” coordinate system

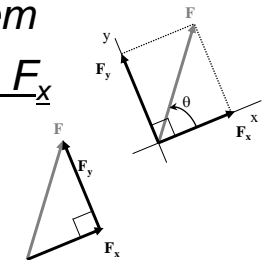
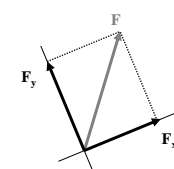
- θ is between F_x and F from F_x

$$F_x = F \cos \theta$$

$$F_y = F \sin \theta$$

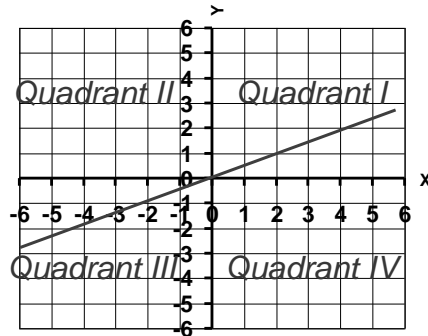
$$F = \sqrt{F_x^2 + F_y^2}$$

$$\tan \theta = \frac{F_y}{F_x}$$



Trigonometry

- F_x is negative
– 90° to 270°
- F_y is negative
– 180° to 360°
- \tan is positive
– quads I & III
- \tan is negative
– quads II & IV



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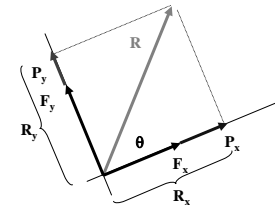
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Component Addition

- find all x components
- find all y components
- find sum of x components, R_x (resultant)
- find sum of y components, R_y

$$R = \sqrt{R_x^2 + R_y^2}$$

$$\tan \theta = \frac{R_y}{R_x}$$



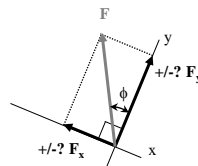
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Alternative Trig for Components

- doesn't relate angle to axis direction
- ϕ is "small" angle between F and F_x or F_y
- no sign out of calculator!
- have to choose **RIGHT** trig function, resulting direction (sign) and component axis



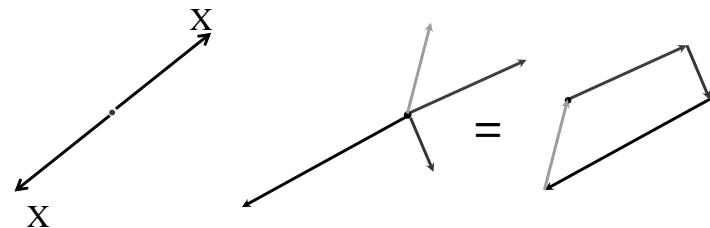
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Static Equilibrium

- balanced & steady
- no motion or translation
- equilibrant is opposite resultant



Equilibrium 2
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Cables

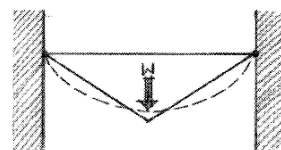
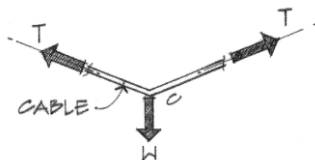
- simple
- uses
 - suspension bridges
 - roof structures
 - transmission lines
 - guy wires, etc.
- have same tension all along
- can't stand compression



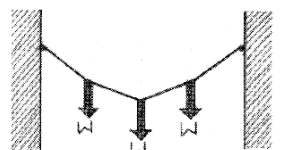
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Cable Loads

- straight line between forces
- with one force
 - concurrent
 - symmetric



(a) Simple concentrated load—triangle.



(b) Several concentrated loads—polygon.

Cables Structures

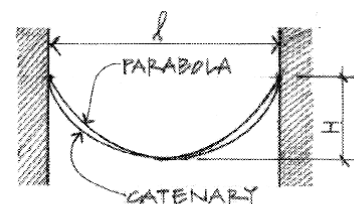
- use high-strength steel
- need
 - towers
 - anchors
- don't want movement



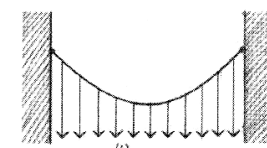
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Cable Loads

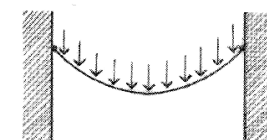
- shape directly related to the distributed load



(c) Comparison of a parabolic and a catenary curve.



(d) Uniform loads (horizontally)—parabola.

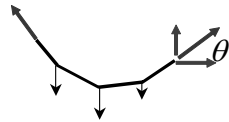


(e) Uniform loads (along the cable length)—catenary.

Cable Loads

- trig: $T_x = T \cos \theta$

$$T_y = T \sin \theta$$



- parabolic (catenary)

– distributed uniform load

$$y = 4h(Lx - x^2) / L^2$$

$$L_{total} = L \left(1 + \frac{8}{3} \frac{h^2}{L^2} - \frac{32}{5} \frac{h^4}{L^4} \right)$$

