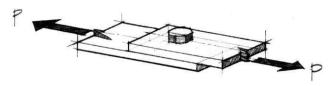
## **Connections & Stresses**

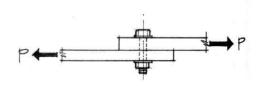
Notation:			
Α	= area (net = with holes, bearing = in	$f_v$	= shear stress
	contact, etc)	Р	= name for axial force vector, as is $T$
d	= diameter of a hole	t	= thickness
$f_p$	= bearing stress (see P)	$\pi$	= pi (3.1415 radians or 180°)
$f_t$	= tensile stress		

## **Bolts in Shear and Bearing**

Single shear - forces cause only one shear "drop" across the bolt.



(a) Two steel plates bolted using one bolt.



(b) Elevation showing the bolt in shear.

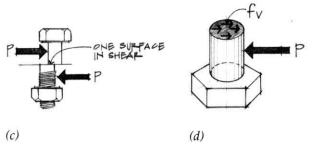


Figure 5.11 A bolted connection—single shear.

 $f_v$  = Average shear stress through bolt cross section

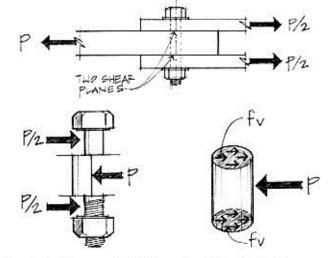
*A* = Bolt cross-sectional area

$$f_v = \frac{P}{A}$$

<u>Double shear</u> - forces cause two shear changes across the bolt.

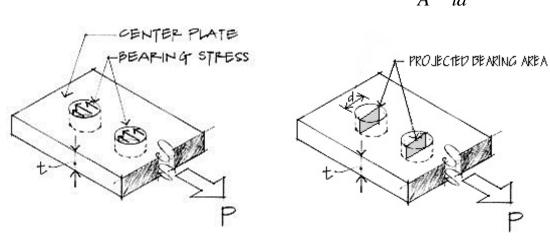


(two shear planes)



Free-body diagram of middle section of the bolt in shear. Figure 5.12 A bolted connection in double shear.

<u>Bearing of a bolt on a bolt hole</u> – The bearing surface can be represented by *projecting* the cross section of the bolt hole on a plane (into a rectangle).  $f_p = \frac{P}{A} = \frac{P}{td}$ 



Bearing stress on plate.

## Example 1

Apipe storage rack is used for storing pipe in a shop. The support rack beam is fastened to the main floor beam using steel straps  $\frac{1}{2}$ " × 2" in dimension. Round bolts are used to fasten the strap to the floor beam in single shear. (a) If the weight of the pipes impose a maximum tension load of 10,000 pounds in each strap, determine the tension stress developed in the steel strap. (b) Also, what diameter bolt is necessary to fasten the strap to the floor beam if the allowable shear stress for the bolts equals  $F_v = 15,000 \frac{\text{lb.}/\text{in.}^2}{\text{in.}^2}$  Determine the bearing stress in the strap from the bolt diameter chosen.

